

# The University of Sheffield-EPSRC Winter School 2008 Mathematics for Data Modelling

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#### Some Admin First

- Fire safety continuously ringing bell
- Leave immediately by nearest fire exit and wait by St George's Church
- Coffee breaks/lunch
- Access to PCs/web and PC lab sessions
- Poster session
- Thursday dinner
- Accommodation ok?
- Any questions about the week?
- Questionnaires
- Payment/registration



#### Aim

To provide researchers with an overview of data modelling.
Why mathematics?
Core to data modelling algorithms
But, we will also cover how to model data well.



#### Why data modelling?



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Mathematics for Data Modelling: Introduction



### Why data modelling?

#### Increasingly important to success of many practical applications:

- Engineering
- Ecology
- Chemistry/chemical engineering
- Financial services
- Crime prevention
- Internet search
- Systems biology
- Medical diagnosis...

Engineers with experience in data modelling are in high demand!



## So what is data modelling?

Different things to different people.

- Structuring and organising data.
- Physical models of data.

Models to predict unseen data.
 For this course consider some examples...

























































#### Data modelling problems

- Examples 1,2 regression/curve fitting.
- Example 3 classification/pattern recognition.
- Example 4 density estimation.
   This course where do you put the line?



#### **Different types of learning**

Supervised vs unsupervised

- Do you have target data?
- Learning with/without
   Are the data processed o

Batch, incremental, sequential, online...

• Are all the data available initially?

 Are the data processed one at a time?



#### The Winter School

- Day 1 introduction, linear models, neural networks, how to model data well
- Day 2 kernel methods, support vector machines
- Day 3 unsupervised/semi-supervised
- Day 4 Bayesian methods
- Day 5 applications



#### Notation

Inputs  $\{x_i\}_{i=1}^N, x \in \mathbb{R}^d$ Input variables  $x_i = \begin{bmatrix} x_{i,1}, x_{i,2}, \cdots, x_{i,m} \end{bmatrix}^T$ Outputs  $\{y_i\}_{i=1}^N$   $y \in \mathbb{R}$  regression  $y \in \{0,1\}$  classification Targets  $\{z_i\}_{i=1}^N$  Possible values as per y



#### **Basic problem** Given y = f(x)z = y + ewhere e is noise. Estimate $\hat{f}$ from $\{x_i, z_i\}_{i=1}^N$ . Density estimation requires a more complicated notation – given as required.



#### Finally...

- Ask questions.
- The course is for you.
- Use the breaks to network and discuss your work.
- Notes will be available at
- http://www.datamodelling.group.shef.ac.uk/winters chool2008/lectures.php
- Videoed as well!