

Conceptual Clustering: Concept Formation, Drift and Novelty Detection

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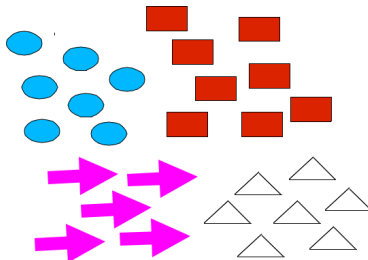
Introduction & Motivation

- Ontologies evolve over the time.
 - *New instances are asserted*
 - New concepts are defined
- **Concept Drift**
 - the change of a known concept w.r.t. the evidence provided by new annotated individuals that may be made available over time
- **Novelty Detection**
 - isolated cluster in the search space that requires to be defined through new emerging concepts to be added to the KB
- **IDEA : to use Conceptual clustering methods for automatically discover them**

Basics on Clustering Methods

Clustering methods: unsupervised inductive learning methods that organize a collection of unlabeled resources into meaningful clusters such that

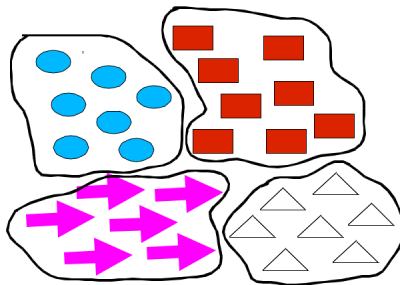
- intra-cluster *similarity* is high
- inter-cluster *similarity* is low



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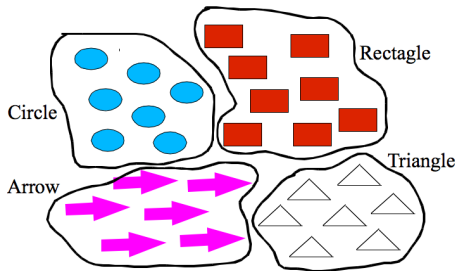
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Conceptual Clustering: Related Works

- **Few** algorithms for Conceptual Clustering (CC) with multi-relational representations [Stepp & Michalski, 86]
- **Fewer** dealing with the SW standard representations and their semantics
 - KLUSTER [Kietz & Morik, 94]
 - CSKA [Fanizzi et al., 04]
 - Produce a *flat output*
 - *Suffer from noise* in the data
- **Proposal** of a new divisional hierarchical CC algorithm that
 - is **similarity-based** \Rightarrow *noise tolerant*
 - produces a *hierarchy of clusters*

Reference Representation

- OWL representation founded in Description Logics (DL):
- Knowledge base: $\mathcal{K} = \langle \mathcal{T}, \mathcal{A} \rangle$
 - TBox \mathcal{T} : a set of DL concept definitions
 - ABox \mathcal{A} : assertions (facts) about the world state
 - $\text{Ind}(\mathcal{A})$: set of Individuals (resources) in the ABox
- Inference service of interest from the KBMS:
 - *instance-checking*: decision procedure that assess if an individual is instance of a certain concept or not
 - Sometimes a simple lookup may be sufficient

Semi-Distance Measure: Main Idea

- **IDEA:** *on a semantic level, similar individuals should behave similarly w.r.t. the same concepts*
- Following HDD [**Sebag 1997**]: individuals can be compared on the grounds of their behavior w.r.t. a given set of hypotheses $F = \{F_1, F_2, \dots, F_m\}$, that is a collection of (primitive or defined) concept descriptions
 - F stands as a group of *discriminating features* expressed in the considered language
- As such, the new measure *totally depends on semantic* aspects of the individuals in the KB

Semantic Semi-Distance Measure: Definition

[Fanizzi et al. @ DL 2007] Let $\mathcal{K} = \langle \mathcal{T}, \mathcal{A} \rangle$ be a KB and let $\text{Ind}(\mathcal{A})$ be the set of the individuals in \mathcal{A} . Given sets of concept descriptions $F = \{F_1, F_2, \dots, F_m\}$ in \mathcal{T} , a *family of semi-distance functions* $d_p^F : \text{Ind}(\mathcal{A}) \times \text{Ind}(\mathcal{A}) \mapsto \mathbb{R}$ is defined as follows:

$$\forall a, b \in \text{Ind}(\mathcal{A}) \quad d_p^F(a, b) := \frac{1}{m} \left[\sum_{i=1}^m |\pi_i(a) - \pi_i(b)|^p \right]^{1/p}$$

where $p > 0$ and $\forall i \in \{1, \dots, m\}$ the *projection function* π_i is defined by:

$$\forall a \in \text{Ind}(\mathcal{A}) \quad \pi_i(a) = \begin{cases} 1 & F_i(a) \in \mathcal{A} \quad (\mathcal{K} \models F_i(a)) \\ 0 & \neg F_i(a) \in \mathcal{A} \quad (\mathcal{K} \models \neg F_i(a)) \\ \frac{1}{2} & \text{otherwise} \end{cases}$$

Semi-Distance Measure: Discussion

- *More similar* the considered *individuals are*, more similar the project function values are $\Rightarrow d_p^F \simeq 0$
- *More different* the considered *individuals are*, more different the projection values are \Rightarrow the value of d_p^F will increase
- The measure does not depend on any specific constructor of the language \Rightarrow *Language Independent Measure*
- The measure complexity mainly depends from the complexity of the *Instance Checking* operator for the chosen DL
 - $Compl(d_p^F) = |F| \cdot 2 \cdot Compl(IChk)$
- **Optimal discriminating feature set could be learned**

Clustering Algorithm: Characteristics

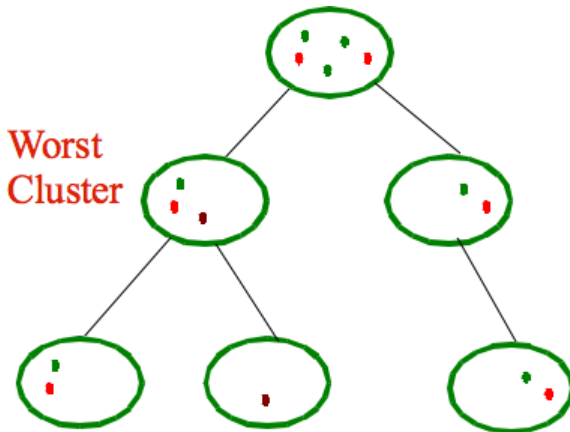
- *Hierarchical* algorithm \Rightarrow returns a *hierarchy of clusters*
- Inspired to the K-Means algorithm
 - Defined for feature vectors representation where features are only numerical and the notion of the cluster *centroids* (weighted average of points in a cluster) is used for partition
- Exploits the notion of **medoid** (drawn from the PAM algorithm)
 - **central element in a group of instances**

$$m = \text{medoid}(C) = \underset{a \in C}{\operatorname{argmin}} \sum_{j=1}^n d(a, a_j)$$

Running the Clustering Algorithm

- *Level-wise* (number of level given in input, it is the number of clusters that we want to obtain): find the **worst cluster** on that level that has to be split
 - *worst cluster* \Leftrightarrow having the *least average inner similarity* (*cohesiveness*)
 - **select** the two **most dissimilar element** in the cluster *as medoid*
- split the cluster iterating (till convergence)
 - **distribute individuals** to either partition on the grounds of their similarity w.r.t. the medoids
 - given this bipartition, **compute the new medoids** *for either cluster*
 - **STOP when** the two generated medoids are equal to the previous ones (stable configuration) **or when** the maximum number of iteration is reached

Clustering Algorithm: Main Idea



Conceptual Clustering Step

For DLs that allow for (approximations of) the msc and lcs , (e.g. \mathcal{ALC} or $\mathcal{AL}\mathcal{E}$):

- given a cluster $node_j$,
 - $\forall a_i \in node_j$ compute $M_i := msc(a_i)$ w.r.t. the ABox \mathcal{A}
 - let $MSCs_j := \{M_i | a_i \in node_j\}$
- $node_j$ *intensional description* $lcs(MSCs_j)$

Alternatively a *Supervised Learning phase* can be used

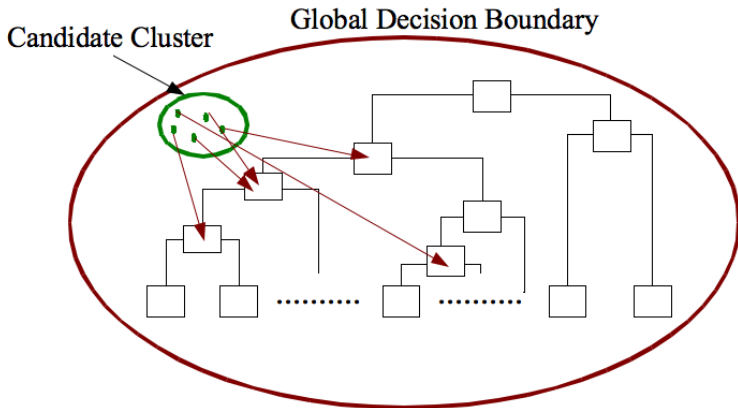
- Learn a definition for $node_j$ whose individuals represent the positive examples while the individuals in the other clusters at the same level are the negative example
- More complex algorithms for concepts learning in some DLs may be employed ([Esposito,04] [Lehmann,06])

Automated Concept Drift and Novelty Detection

If *new annotated individuals are made available* they have to be integrated in the clustering model

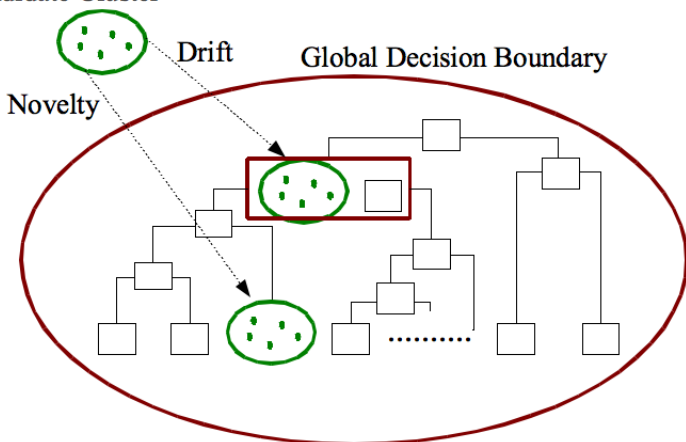
- ① Each individual is assigned to the closest cluster (measuring the distance w.r.t. the cluster medoids)
- ② The entire clustering model is recomputed
- ③ The new instances are considered to be a *candidate* cluster
 - An *evaluation* of it is performed in order to assess its nature

Evaluating the Candidate Cluster: Main Idea 1/2



Evaluating the Candidate Cluster: Main Idea 2/2

Candidate Cluster



Evaluating the Candidate Cluster

- Given the initial clustering model, a *global boundary* is computed for it
 - $\forall C_i \in \text{Model}, \text{decision boundary cluster} = \max_{a_j \in C_i} d(a_j, m_i)$
 (or the average)
 - The average of the decision boundary clusters w.r.t. all clusters represent the *decision boundary model or global boundary* $d_{overall}$
- The decision boundary for the candidate cluster CandCluster is computed $d_{candidate}$
- if $d_{candidate} \leq d_{overall}$ then CandCluster is a *normal* cluster
 - integrate* :
 $\forall a_i \in \text{CandCluster } a_i \rightarrow C_j \text{ s.t. } d(a_i, m_j) = \min_{m_j} d(a_i, m_j)$
- else CandCluster is a **Valid Candidate** for *Concept Drift* or *Novelty Detection*

Evaluating Concept Drift and Novelty Detection

- The *Global Cluster Medoid* is computed
$$\overline{m} := \text{medoid}(\{m_j \mid C_j \in \text{Model}\})$$
- $d_{\max} := \max_{m_j \in \text{Model}} d(\overline{m}, m_j)$
- if $d(\overline{m}, m_{CC}) \leq d_{\max}$ the CandCluster is a *Concept Drift*
 - CandCluster is **Merged** with the most similar cluster $C_j \in \text{Model}$
- if $d(\overline{m}, m_{CC}) \geq d_{\max}$ the CandCluster is a *Novel Concept*
 - CandCluster is **added** to the model (at the level j where the most similar cluster is found)

Experimental Setting

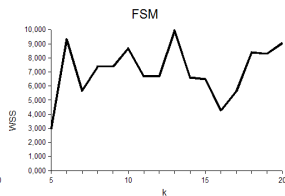
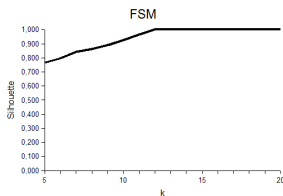
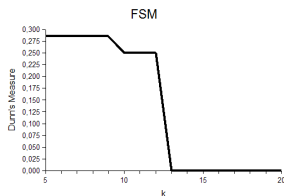
ontology	DL	#concepts	#obj. prop.	#data prop.	#individuals
FSM	<i>SOF(D)</i>	20	10	7	37
S.-W.-M.	<i>ALCOF(D)</i>	19	9	1	115
TRANSPORTATION	<i>ALC</i>	44	7	0	250
FINANCIAL	<i>ALCIF</i>	60	17	0	652
NTN	<i>SHIF(D)</i>	47	27	8	676

- For each ontology, the *experiments* have been *repeated for varying numbers k* of clusters (**5 through 20**)
- For computing individual distances *all concepts* in the ontology have been used as committee of features
 - this guarantees high redundancy and thus meaningful results
- PELLET reasoner employed for computing the projections

Evaluation Methodology

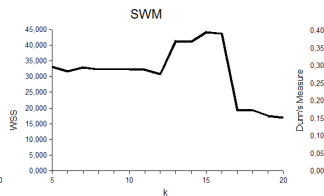
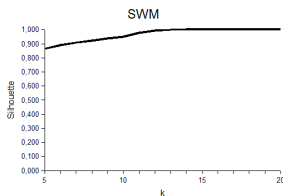
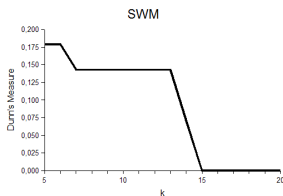
- Obtained clusters evaluated, per each value of k by the use of the standard metrics
 - **Generalized Dunn's index** $[0, +\infty[$
 - Mean Square error **WSS cohesion index** $[0, +\infty[$
 - within cluster squared sum of distances from medoid
 - **Silhouette index** $[-1, +1]$
- An overall experimentation of **16 repetitions** on a dataset took *from a few minutes to 1.5 hours* on a 2.5GhZ (512Mb RAM) Linux Machine.

Experimental Results 1/3

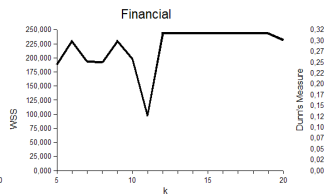
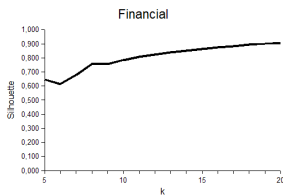
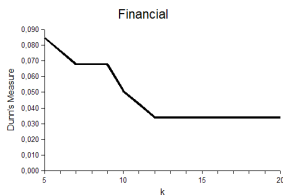


- Silhouette (most representative index)
 - Close to its max value (1)
- Dunn's + WSS:
 - knees can give a hint of optimal choice for clustering

Experimental Results 2/3



Experimental Results 3/3



Conclusions

- A hierarchical clustering algorithm for relational KBs expressed in any DL has been presented
- Based on a language independent dissimilarity measure grounded on resource semantics
 - The instance checking inference operator is exploited
- Clusters have been experimentally evaluated
 - Registered good preliminary results particularly w.r.t. Silhouette quality index

Future Works

- Grouping homogeneous individuals in the candidate cluster and evaluate each group w.r.t. the model
- Evaluating the clustering algorithm by the use of the distance optimization
- Extension to Fuzzy clustering techniques
- Conceptual Clustering Step as a Supervised learning phase with complex DL languages
- Application: Clustering Semantic WS descriptions for fast retrieval and matchmaking

The End

That's all!

Questions?