

ETH

Eidgenössische Technische Hochschule Zürich
Swiss Federal Institute of Technology Zurich

CHAIRS OF SOCIOLOGY

Signaling Models and Experiments A Research Perspective

Andreas Diekmann and Wojtek Przepiorka

**Zurich workshop “Challenges and Visions in the Social Sciences”
August 18th to 23rd, 2008**



Mount Hope, Holmes County
© Ian Adams

Signaling Theory

Signal your type: Method to achieve cooperation in a social dilemma situation if information is incomplete

Explaining seemingly irrational behaviour: Large investments in “distinctions” (Bourdieu), conspicuous consumption (Veblen), dress codes, “inefficient” social norms (Posner), wasting resources (advertisement campaigns), donations and gift-giving (Camerer).

Signaling your type!



**Faculty meeting, University of Bern, June 20th,
2002, temperature 30° C**



	Economi sts & Social. Science	Business & Adminis tration
No tie	9*	1
Wearing a tie	1	5

ϕ -coefficient = 0.73

*including observer

Trust game under incomplete information with Signaling

(Model based on Posner „Law and Social Norms“)

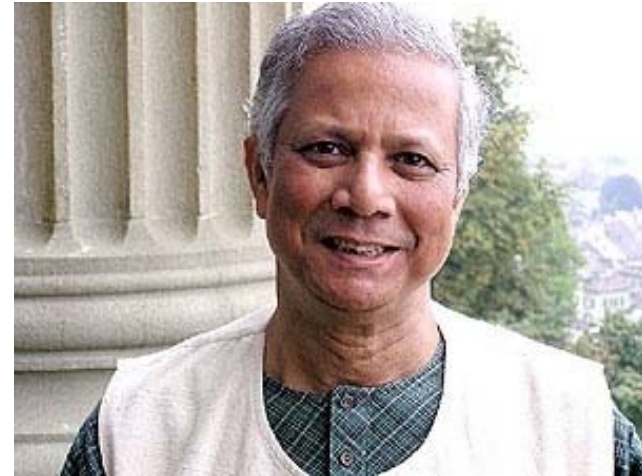
We assume a trust situation with two types of actors. Actors have the same preferences but act under different structural conditions. Type A plays a repeated game while type B is in a one-shot situation. („Stayer“ versus „Mover“.) Hence, types can be distinguished by discount parameters. However, there is incomplete information. The trustor does not know the type of the trustee.

Note: We do not assume „honest“ or „dishonest“ preferences.

With a high proportion of „mover“ no cooperation will emerge.

Signaling the type may help to promote cooperation. (Signaling theory of social norms.)

Example: Microcredits



Muhammad Yunus, Gr"under der Grameen Bank und Gewinner des Friedens-Nobelpreises 2006.



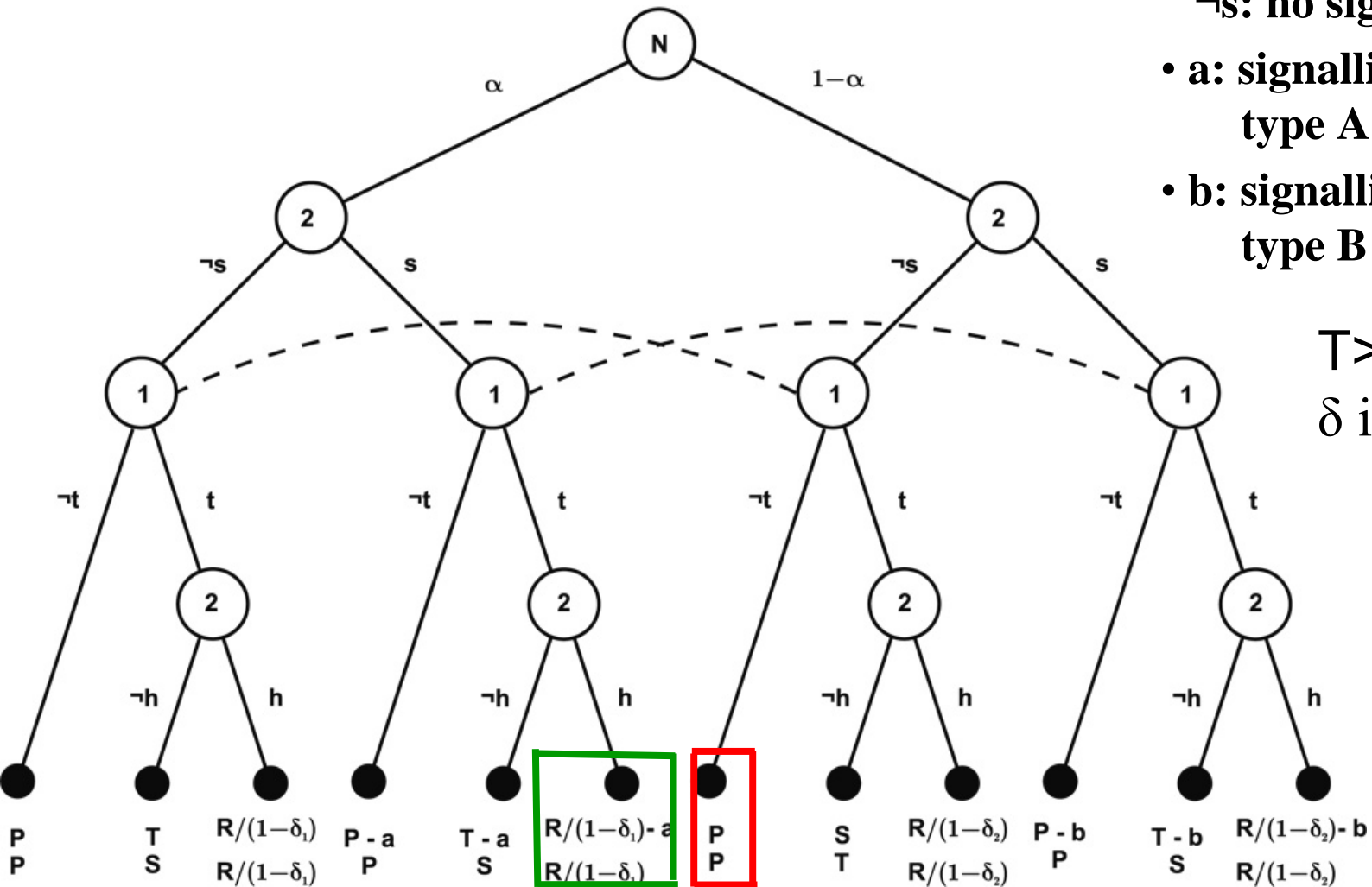
The Grameen Bank preferably lends money to women. Women take care of children and are less probable to be fly-by-nights.

Example: Engagement rings



In the US, men are expected to spend up to 3 monthly wages on an engagement ring.

Trust game with signals of trustworthiness



- s: send signal;
¬s: no signal
- a: signalling cost
type A
- b: signalling cost
type B

$T > R > P > S$
 δ is discount
 rate

Conditions for a separating signaling equilibrium

(1) Type A: $R/(1 - \delta_1) - P > a$

(2) Type B: $T - P < b$

Equilibrium strategies („Perfect Bayesian equilibrium“)

- **Type A signals (s), type B does not signal ($\neg s$).**
- **Trustor chooses trust (t) if s, otherwise no trust ($\neg t$).**
- **Type A honors trust.**

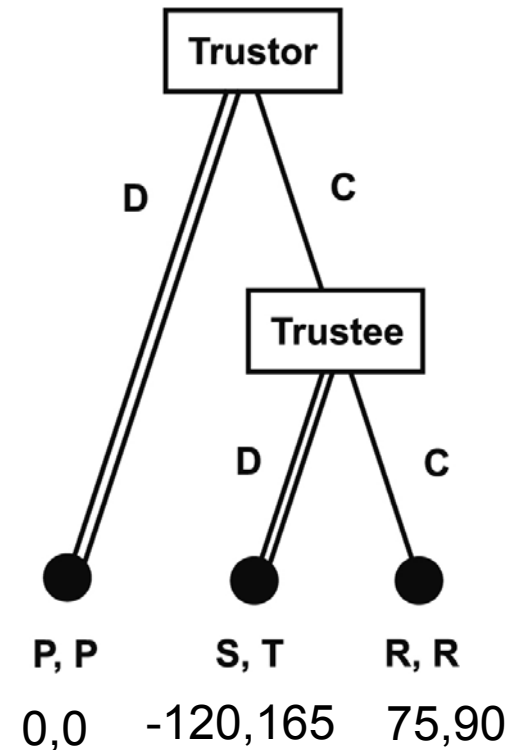
Extension: Equilibrium strategy if s is the amount of an investment. A invests $s^* = T - P + \epsilon$, B invests 0. Trustor cooperates if $s = s^*$ and defects otherwise.

Hypotheses

1. Trustees of type A have a higher likelihood to signal than type B trustees.
2. Trustors respond to signals by an increased likelihood of cooperation.
3. Trustees of type A reciprocate trust while type B trustees are expected to exploit trustor.

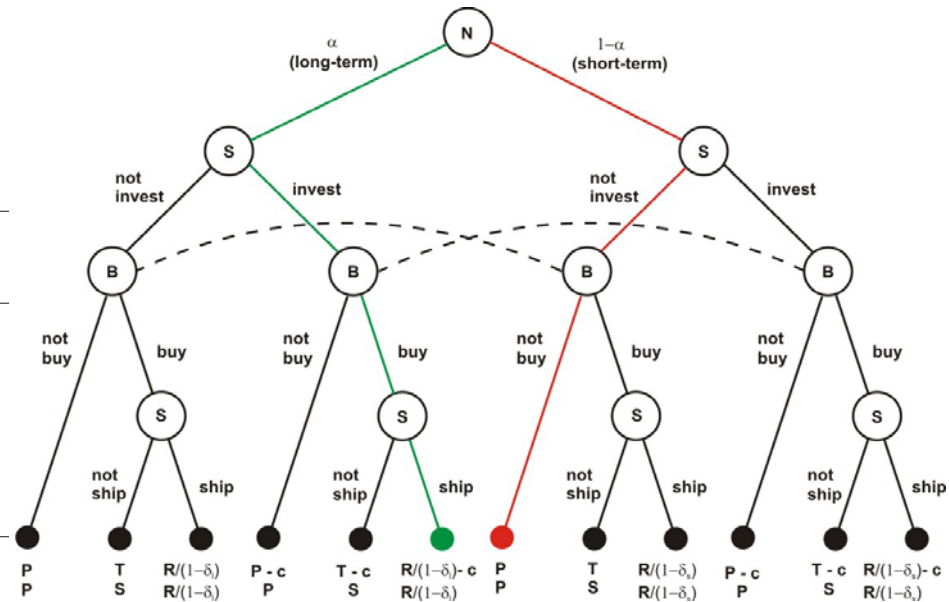
Experimental Design

- **5 buyers (trustors) and 5 sellers (trustees) play 15 trust games**
- **with seller's payoffs $P=0$, $R=90$, $T=165$ and buyer's payoff $P=0$, $R=75$, $S= -120$.**
- **5 interactions repeated (type A), 10 interactions one-shot trust game (type B) ($\alpha=1/3$ is common knowledge)**
- **Treatment: Control (no signal possible) versus signalling condition. Sellers can spend up to 175 points for signal.**
- **80 subjects in Russia, 90 subjects in Switzerland**

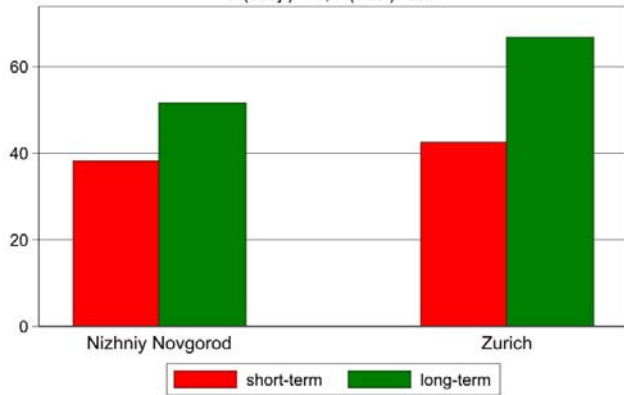


Signaling experiment 1

Seller type	Treatment			
	Nizhniy Novgorod		Zurich	
	no invest (3 sessions)	invest signal (5 sessions)	no invest (3 sessions)	invest signal (3 sessions)
short-term (10/15 rounds)	150	250	150	150
long-term (5/15 rounds)	75	125	75	75
	225	375	225	225

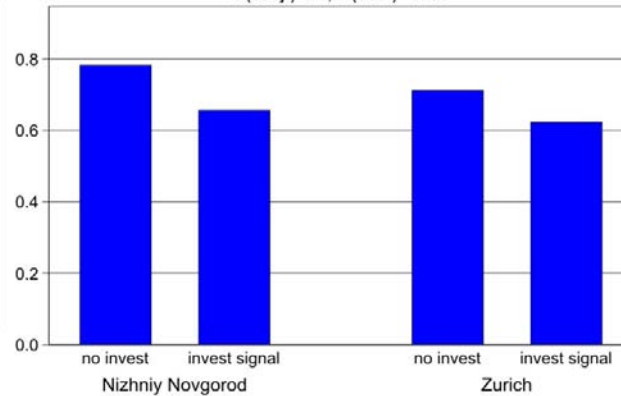


Mean score invested by sellers
N(subj.)=40, N(dec.)=600



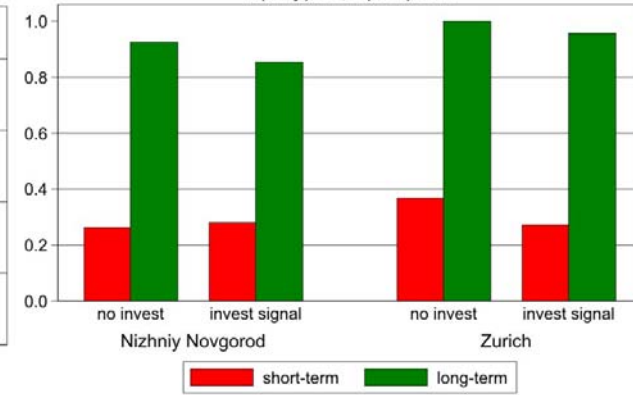
N.N.: $\Delta c = 13.4$, $t = 2.95$, $p = 0.007$
 Zurich: $\Delta c = 24.4$, $t = 5.48$, $p < 0.001$

Fractions of buyer decisions to buy
N(subj.)=70, N(dec.)=1050



N.N.: $OR = 0.53$, $z = -1.87$, $p = 0.06$
 Zurich: $OR = 0.67$, $z = -1.08$, $p = 0.28$

Fractions of seller decisions to ship
N(subj.)=70, N(dec.)=722



N.N.: $OR = 20.1$, $z = 7.38$, $p < 0.001$
 Zurich: $OR = 109.8$, $z = 5.84$, $p < 0.001$

(OLS and logit regressions, two-sided tests with robust standard errors accounting for within subject clustering)

Learning: Evolution of Response to Signal

Trustee simulated by computer (subject informed!)

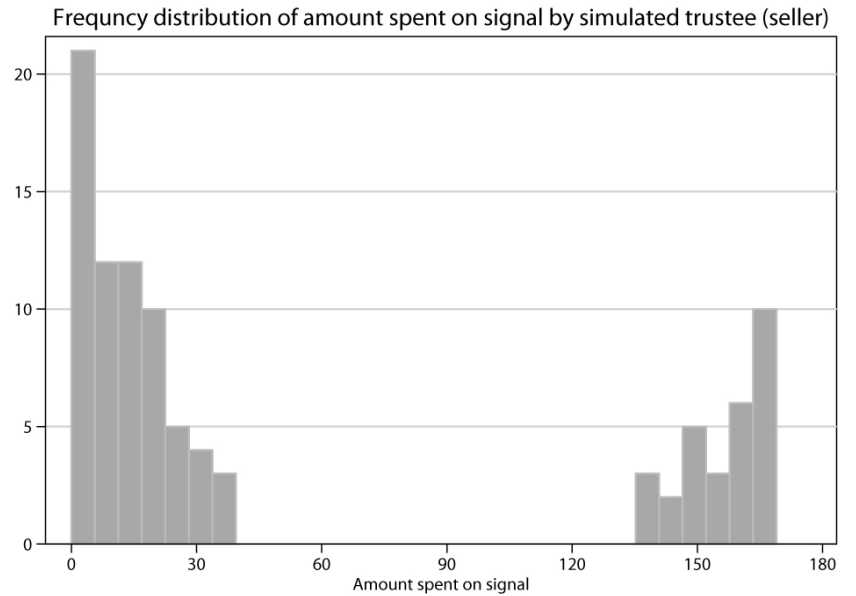
Random signal plus noise over ca. 100 rounds

Treatments:

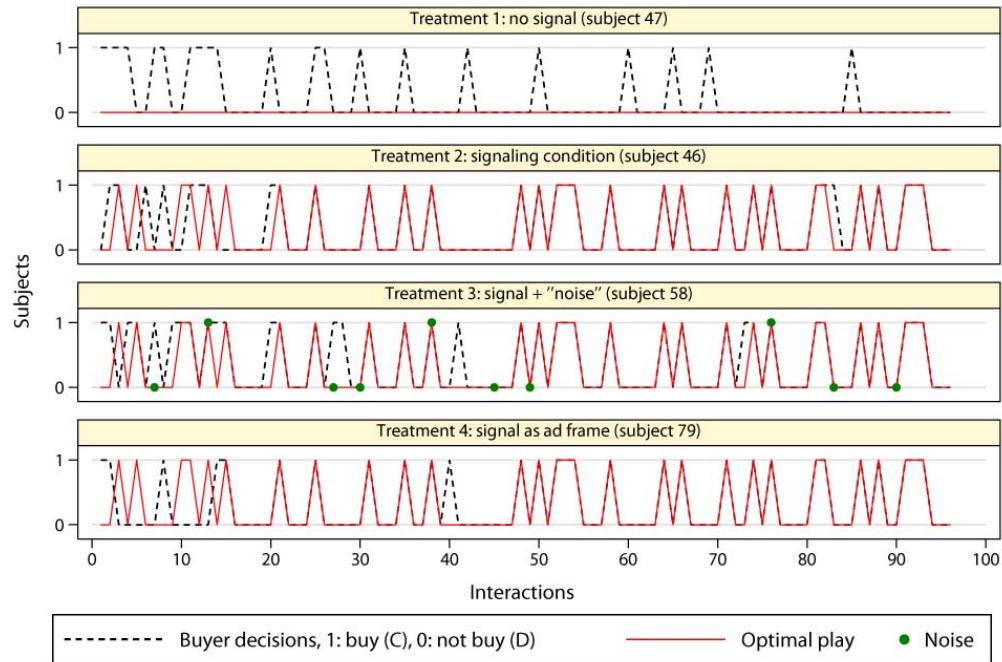
- 1. no signal (control)**
- 2. signal (low versus high plus error component)**
- 3. signal (plus small probability of trustor's error)**
- 4. signal as ad frame**

Signaling experiment 2 (design)

Seller type	Treatments		
	no invest (13 subj.)	invest signal (13 subj.)	invest signal noise (13 subj.)
short-term (67/96 rounds)	871	871	871
long-term (29/96 rounds)	377	377	377
	1248	1248	1248



Examples of trustor (buyer) decisions over time by treatment



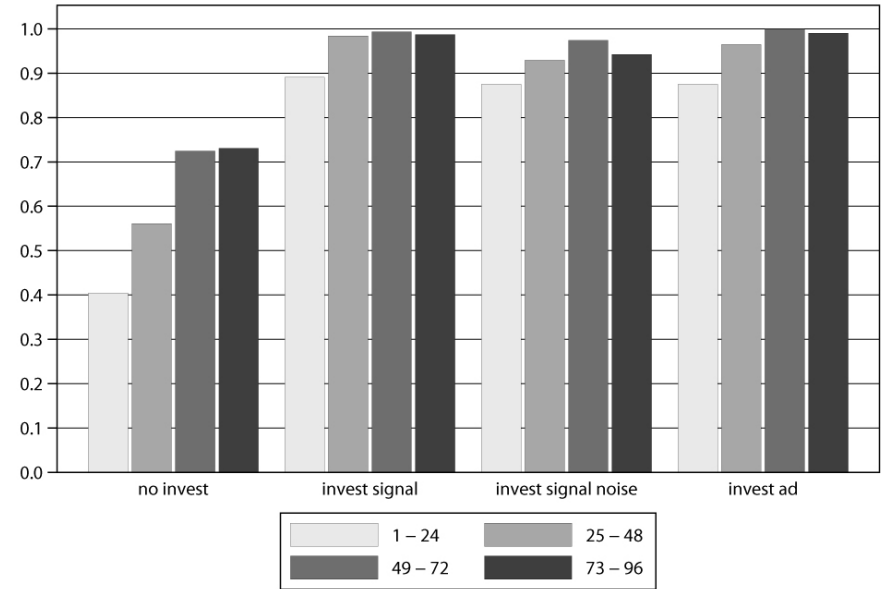
Signaling experiment 2 (results)

Logit: Probability of optimal decision

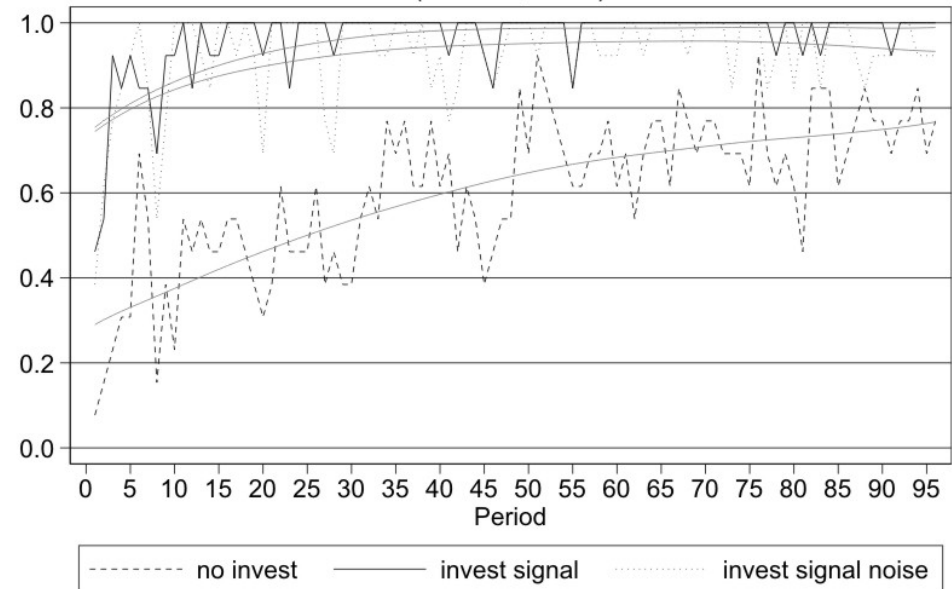
	Linear		Quadratic	
	Coef	SE	Coef	SE
signal	3.684*	0.477	4.298*	0.544
signal noise	2.250*	0.453	2.635*	0.562
time	0.021*	0.006	0.020*	0.005
t*signal	0.033*	0.010	0.009	0.006
t*signal noise	-0.001	0.008	-0.006	0.007
time ²			-0.000	0.000
t ² *signal			-0.001*	0.000
t ² *signal noise			-0.000	0.000
Constant	0.460	0.341	0.640	0.384
N (dec.)	3744		3744	
N (subj.)	39		39	
Wald-Test	144.3*		219.3*	

* $p < 0.05$

Fractions of buyers' optimal decisions



Fraction of optimal decisions over time by treatment
(N=3x13, T=96)



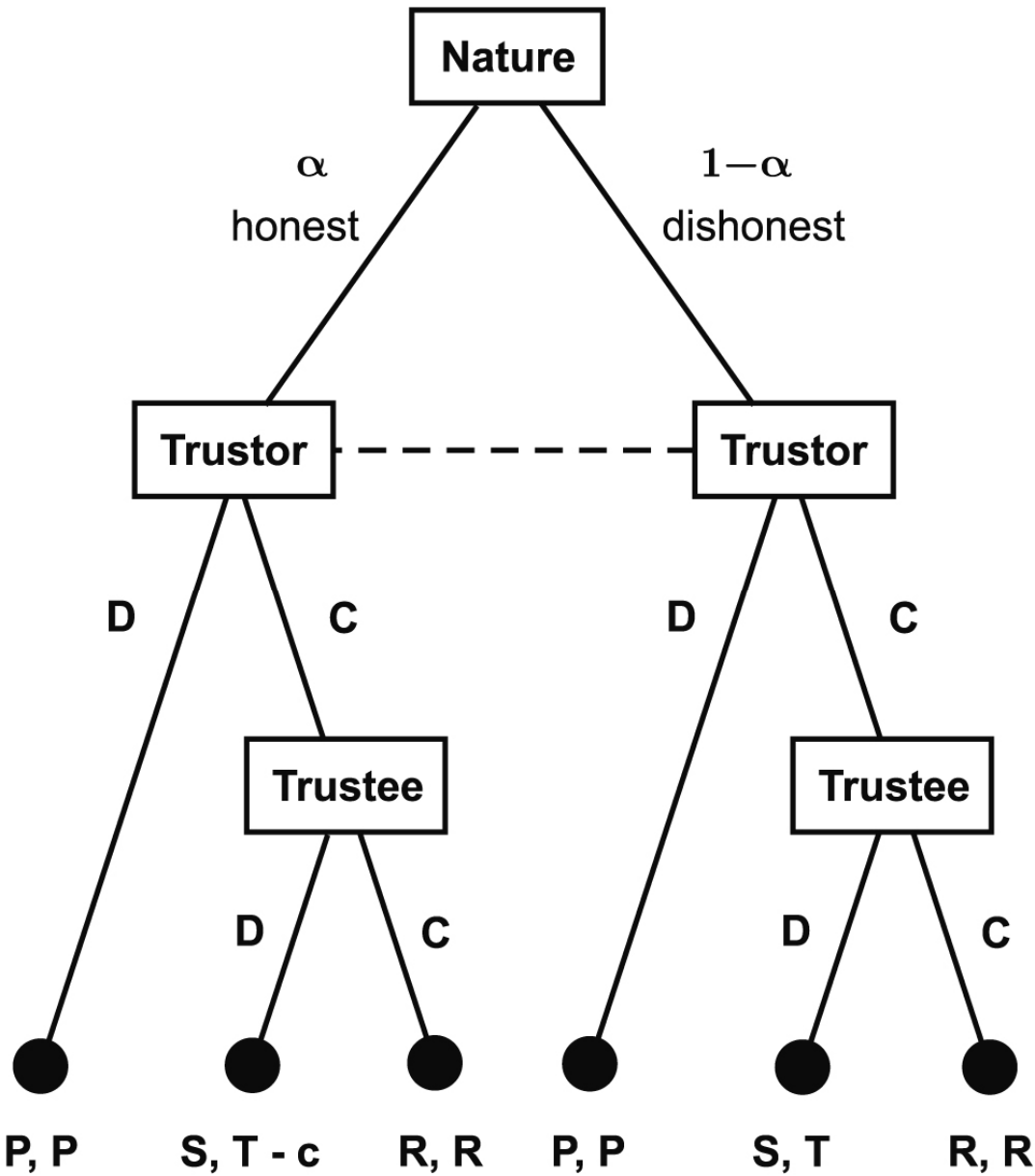
Research Perspective and Challenges

- **Experiments with one-shot or short sequence signaling games are misleading. Evolution of response to signal: Learning by trial and error**
- **Biology: Many applications of signaling theory**
- **Economics: Investment in education as costly signals (Spence)**
- **Sociology: Much essayistic writing about "symbols", "distinctions" etc. Why not using more precise models of game theory?**
- **Signaling theory may account for "puzzling" phenomena not easily explainable by other approaches (inefficient norms, "voting paradox", readiness to engage in discrimination ...)**
- **Policy issue: Signaling furthers cooperation but institutions may be more efficient and fair.**
- **Many interesting propositions follow from signaling theory. However, there is mainly anecdotic evidence and there are few examples of controlled experiments or field experiments.**

Experimental Methods

Rare exceptions in sociology!

	Articles 05-07	Experimental Work
British J. of Soc.	75	0
ASR	126	1
AJS	111	3
AER	270	33



Rational solution

Trust if

$$\alpha > \alpha^* = (P - S) / (R - S)$$

otherwise distrust

“Coleman’s threshold”

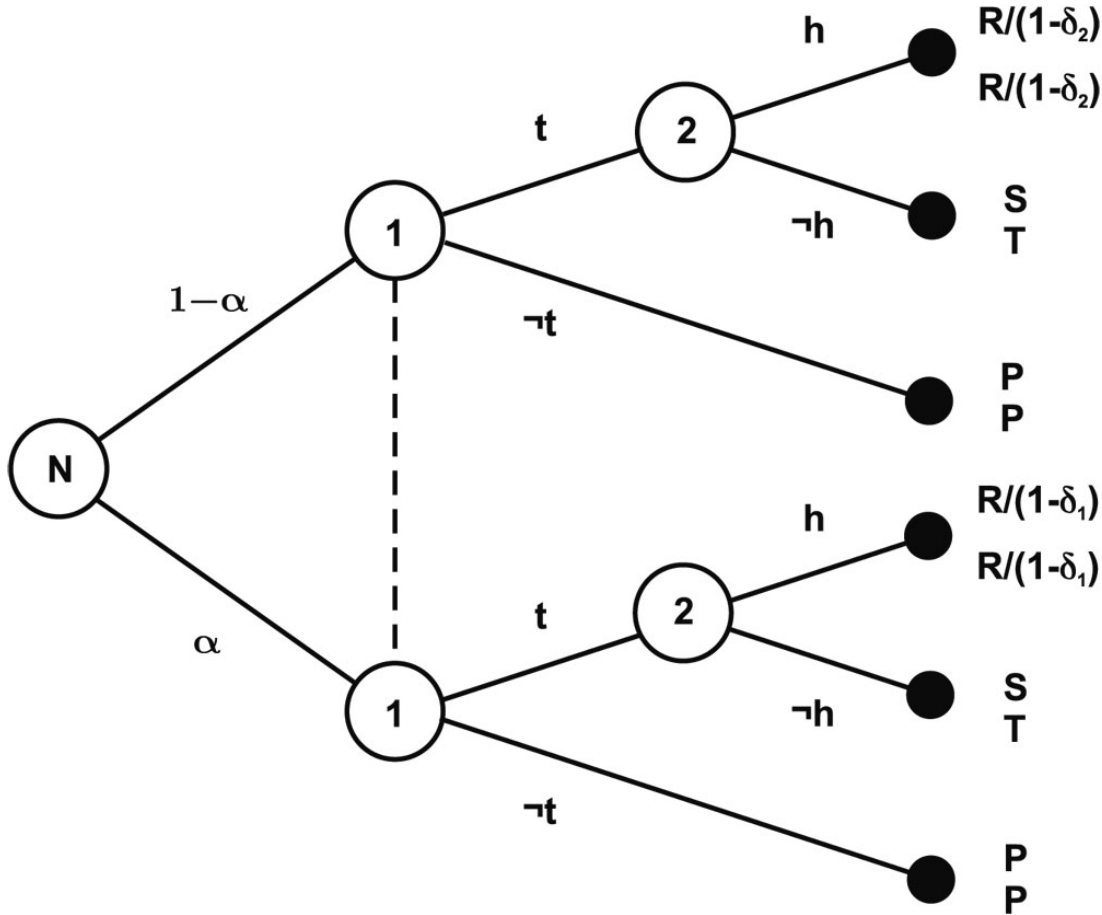
Efficiency problem if

$$\alpha < \alpha^*$$

$$T > R > P > S$$

$$R > T - c$$

Trust game with incomplete information



- **Truster (Player 1), Trustee (Player 2)**
- **t: trust, $\neg t$: do not trust**
- **h: honor trust, $\neg h$: do not honor**
- **α : Probability that trustee is patient**
- **δ_1 : discount factor patient type A, $R/(1-\delta_1) > T > P$**
- **δ_2 : discount factor impatient type B, $T > R/(1-\delta_2) > P$**

Reminder: If α is less than the threshold, zero cooperation will emerge. ($P > \alpha R / (1 - \delta_1) + (1 - \alpha)S$)

Solution: Efficiency gains by signalling if a separating equilibrium exists.

Trust game with signals of trustworthiness

- **Two types of trustees: patient (A) and impatient (B)**
- **Discount factor patient type: δ_1 ; discount factor impatient type: δ_2 , such that $\delta_1 > \delta_2$.**
- **Patient trustee interested in repeated games: $R/(1-\delta_1) > T$**
- **Impatient trustee abuses trust in first game: $R/(1-\delta_2) < T$**
- **An interaction ends, if trustor does not trust ($\neg t$) or trustee abuses trust ($\neg h$).**

Experimental design

- **17 sessions à 10 subjects conducted in Nizhniy and Zurich**
- **3 conditions: no signal, signal invest, signal advertise**
- **5 buyers and 5 sellers play in 15 independent interactions**
- **with seller's payoffs $P=0$, $R=90$, $T=165$ and buyer's payoff $P=0$, $R=75$, $S= -120$.**
- **5 interactions repeated, 10 interactions one-shot trust game ($\alpha=1/3$ is common knowledge)**
- **Only sellers know whether repeated or one-shot**
- **Sellers don't know exact number of games if repeated (discount factor: patient type: $\delta=2/3$)**
- **Seller can spend between 0 and 175 points on signal**
- **Buyer gets informed about points seller has spent on signal**
- **Interaction ends if buyer doesn't buy or seller doesn't ship**
- **Instruction, Quiz, test run, experiment, questionnaire, money**

Experimental design

Interaction	Treatment				
	Nizhniy		Zurich		
	no signal (3 sessions)	signal invest (5 sessions)	no signal (3 sessions)	signal invest (3 sessions)	signal ad ³ (3 sessions)
one-shot (10/15 rounds)	150	250	150	150	132
repeated (5/15 rounds)	75	125	75	75	66
	225	375	225	225	198

Table 1: Number of interactions by treatment and interaction type. In each session 10 subjects played either in the role of a buyer or seller. Subjects played 15 rounds with alternating partners. One third of the interactions consisted of repeated games.

Experimental design

Interaktion
Testrunde 2 von 2

Sie sind ein **Verkäufer** und werden mit demselben Käufer **etwa 3 mal** ein Geschäft machen können.

Bevor sich der Käufer entscheidet, ob er mit Ihnen ein Geschäft machen will, haben Sie die Möglichkeit, in ein **Signal an den Käufer** zu investieren.

Sie können einen Betrag **zwischen 0 und 175 Punkten** in das Signal investieren und das Signal an den Käufer senden. Die investierte Punktzahl wird Ihnen von Ihrem Guthaben abgezogen.

Ihre Investition:

Signal senden

Ihr Guthaben in dieser Interaktion beträgt:
175 Punkte

Interaktion
Testrunde 2 von 2

Sie sind ein **Käufer**.

Der Verkäufer hat **60 von 175 Punkten** in ein Signal an Sie investiert.

Sie können sich jetzt entscheiden, ob Sie mit diesem Verkäufer ein Geschäft machen möchten oder nicht.

nicht kaufen **kaufen**

```
graph TD; K[Käufer] -- nicht kaufen --> P1["0, 0"]; K -- kaufen --> V[Verkäufer]; V -- liefern --> P2["75, 90"]; V -- nicht liefern --> P3["-120, 165"];
```

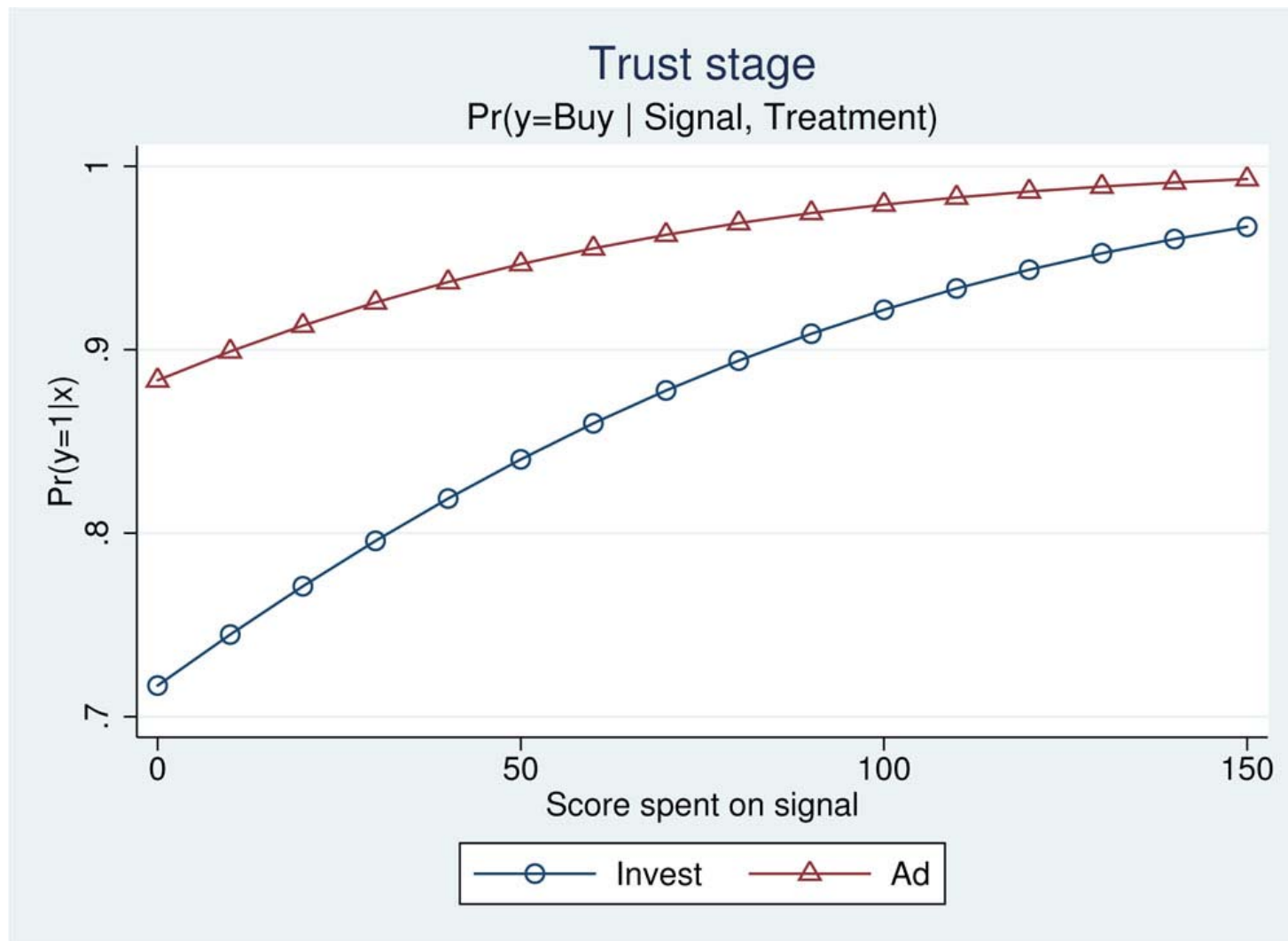
Ihr Guthaben in dieser Interaktion beträgt:
175 Punkte

Results: signalling stage

	Nizhniy		Zurich	
	M1	M2	M1	M2
Repeated	13.408** (4.551)	14.021** (4.457)	22.717*** (3.765)	21.984*** (3.792)
Ad			-26.557** (8.878)	-26.428** (8.857)
Round		-0.292 (0.298)		0.353 (0.357)
Constant	38.192*** (4.107)	40.322*** (5.259)	43.054*** (6.363)	40.473*** (5.706)
R^2	0.049	0.049	0.261	0.262
N	375	375	423	423

Table 2: OLS-regression with points spent on signal as dependent variable. Coefficient estimates and adjusted standard errors in parentheses. Two-sided t-test, * $p < 0.05$, ** $p < 0.01$, *** $p < 0.001$.

Results: trust stage



Frequency distribution of amount spent on signal by simulated trustee (seller)

