Big Questions In Computation

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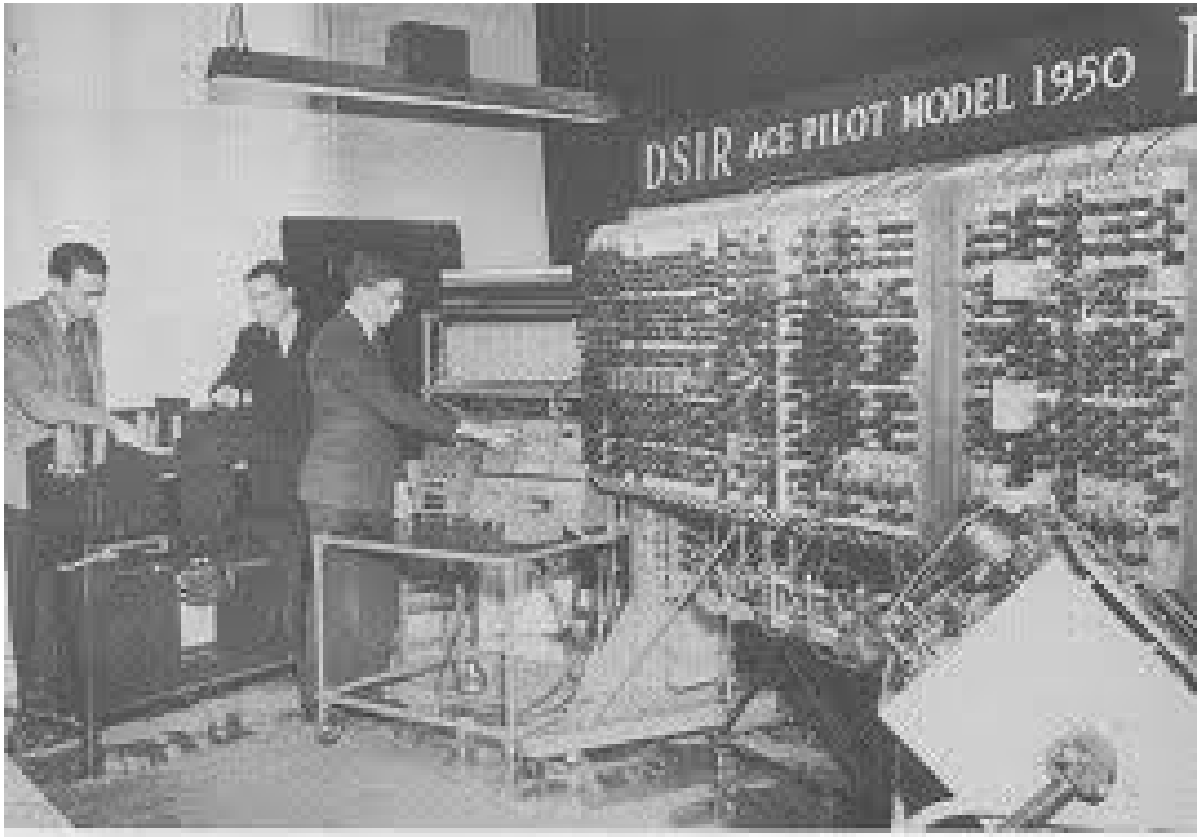
I will suggest two, based on the following notions:

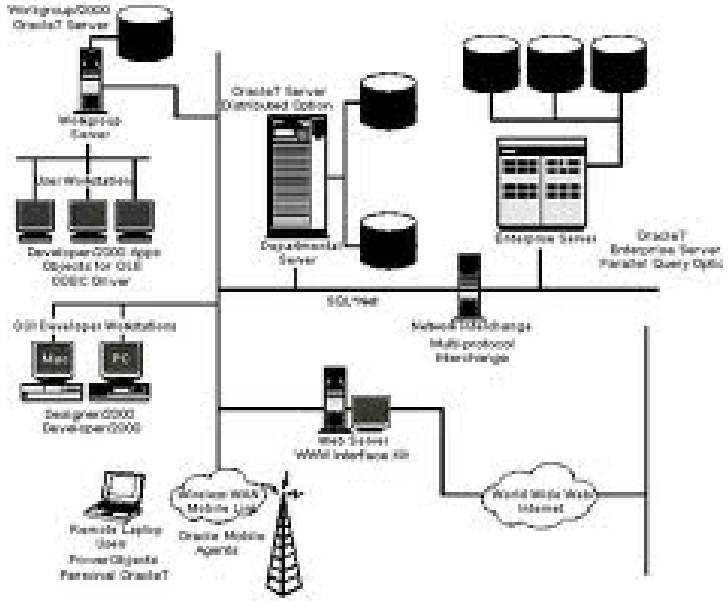
- Processes
- Contexts

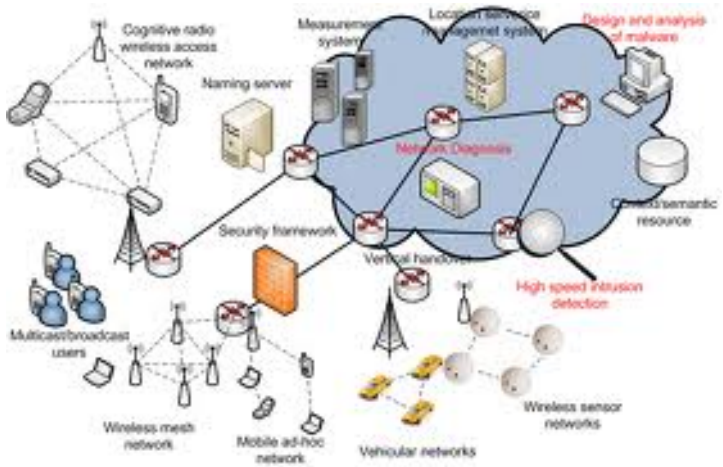
Computation: how it was



Computing in the isolation ward

The changing face of computation





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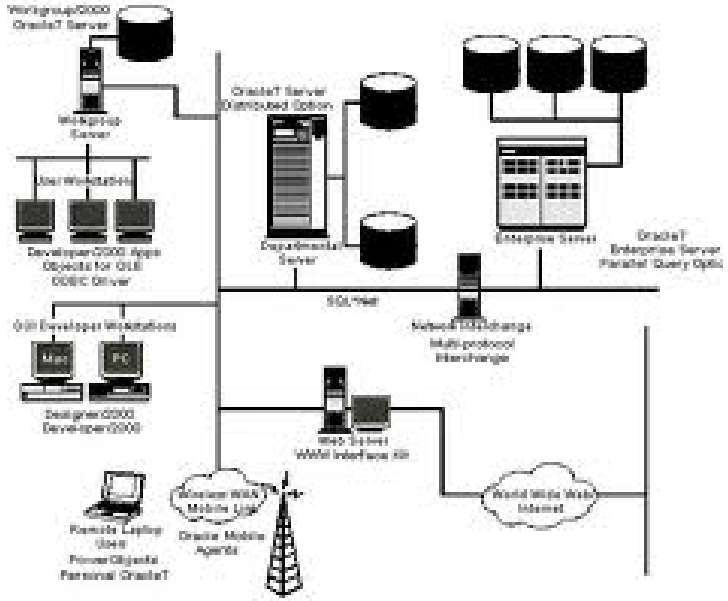

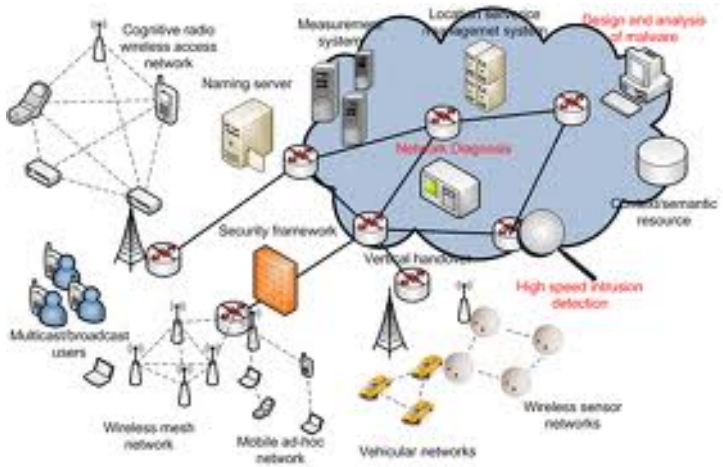

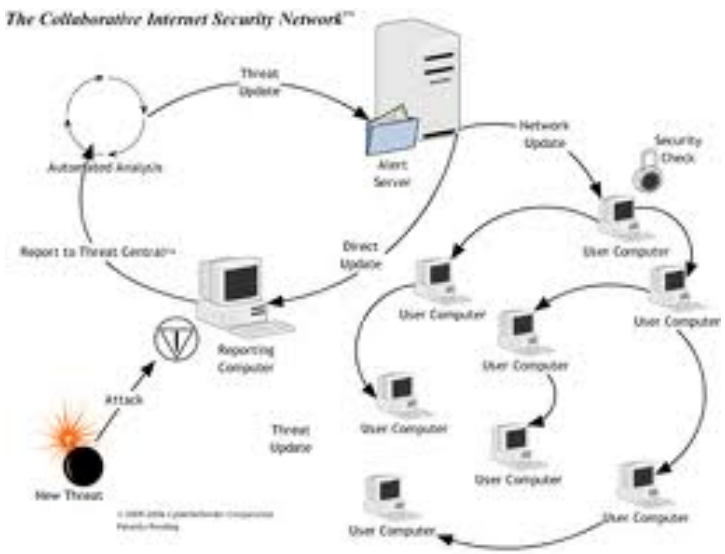

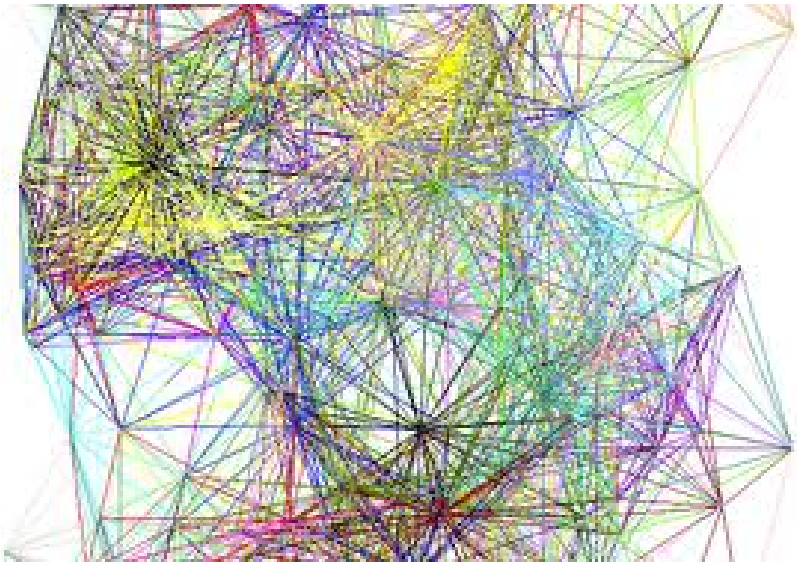

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No established mathematical theory of what processes are.

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It's a much harder problem! Will need a new Turing ...

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However, this would require the possibility of outcomes (G, G) for measurements (X_2, Y_2), and this is precluded!

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Can we rethink our conception of the world in these terms?