# Provenance for SPARQL queries

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### Overview

- Motivation
- Approach
- Representation using K-relations
- Translation of SPARQL graph patterns
- Related work
- Discussion and Conclusions

### The problem

PREFIX dbpowl: <http://dbpedia.org/ontology/>

SELECT DISTINCT ?country WHERE
{?place ?label "Lisbon"@en .
 ?place a dbpowl:PopulatedPlace .
 ?place dbpowl:country ?country .



**country** http://dbpedia.org/resource/Portugal http://dbpedia.org/resource/United\_States

### The solution with duplicates

PREFIX dbpowl: <http://dbpedia.org/ontology/>

SELECT ?country WHERE
{?place ?label "Lisbon"@en .
 ?place a dbpowl:PopulatedPlace .
 ?place dbpowl:country ?country .
}

**country** http://dbpedia.org/resource/Portugal (14 times) http://dbpedia.org/resource/United\_States (5 times)

### Lineage of solution dbpedia:United States



The set of all triples that contribute to the solution:

:Columbiana\_County,\_Ohio :Columbiana\_County,\_Ohio :Lisbon,\_Illinois :Ransom\_County,\_North\_Dakota :Lisbon,\_Illinois :Ransom\_County,\_North\_Dakota :Ransom\_County,\_North\_Dakota :Ransom\_County,\_North\_Dakota :Columbiana\_County,\_Ohio :Lisbon,\_Illinois :Lisbon,\_Illinois dbpprop:seatWl "Lisbon"@en .
rdf:type dbpowl:PopulatedPlace .
foaf:name "Lisbon"@en .
rdf:type dbpowl:PopulatedPlace .
dbpprop:name "Lisbon"@en .
dbpprop:largestCityWl "Lisbon"@en .
dbpprop:seatWl "Lisbon"@en .
dbpowl:country :United\_States .
dbpowl:country :United\_States .
rdf:type dbpowl:PopulatedPlace .

### Why-provenance dbpedia:United States



Which sets of triples support the solution:

| :Columbiana_County,_Ohio<br>:Columbiana_County,_Ohio<br>:Columbiana_County,_Ohio             | <pre>dbpprop:seatWl "Lisbon"@en . rdf:type dbpowl:PopulatedPlace . dbpowl:country :United_States .</pre>       |
|--|--|
| :Lisbon,_Illinois<br>:Lisbon,_Illinois<br>:Lisbon,_Illinois                                  | <pre>foaf:name "Lisbon"@en . dbpowl:country :United_States . rdf:type dbpowl:PopulatedPlace .</pre>            |
| :Lisbon,_Illinois<br>:Lisbon,_Illinois<br>:Lisbon,_Illinois                                  | <pre>dbpprop:name "Lisbon"@en . dbpowl:country :United_States . rdf:type dbpowl:PopulatedPlace .</pre>         |
| :Ransom_County,_North_Dakota<br>:Ransom_County,_North_Dakota<br>:Ransom_County,_North_Dakota | <pre>dbpowl:country:United_States . dbpprop:seatWl "Lisbon"@en . rdf:type dbpowl:PopulatedPlace .</pre>        |
| :Ransom_County,_North_Dakota<br>:Ransom_County,_North_Dakota<br>:Ransom_County,_North_Dakota | <pre>dbpprop:largestCityWl "Lisbon"@en . rdf:type dbpowl:PopulatedPlace . dbpowl:country:United_States .</pre> |

## How-provenance dbpedia:United States



How is a solution constructed:

(:Columbiana\_County,\_Ohio × (:Columbiana\_County,\_Ohio x (:Columbiana\_County,\_Ohio

+ (:Lisbon,\_Illinois x (:Lisbon,\_Illinois

× (:Lisbon,\_Illinois

+ (:Lisbon,\_Illinois

- x (:Lisbon,\_Illinois
- x (:Lisbon,\_Illinois

dbpprop:seatWl "Lisbon"@en rdf:type dbpowl:PopulatedPlace dbpowl:country :United\_States

foaf:name "Lisbon"@en rdf:type dbpowl:PopulatedPlace dbpowl:country :United\_States

dbpprop:name "Lisbon"@en rdf:type dbpowl:PopulatedPlace dbpowl:country :United\_States

+ (:Ransom\_County,\_North\_Dakota dbpprop:seatWl "Lisbon"@en × (:Ransom\_County,\_North\_Dakota rdf:type dbpowl:PopulatedPlace ) × (:Ransom\_County,\_North\_Dakota dbpowl:country:United\_States

× (:Ransom\_County,\_North\_Dakota × (:Ransom\_County,\_North\_Dakota dbpowl:country:United\_States

+ (:Ransom\_County,\_North\_Dakota dbpprop:largestCityWl "Lisbon"@en rdf:type dbpowl:PopulatedPlace )

### Graph source is important

| SPARQL endpoint | ?place  |
|-----------------|---|
| DBpedia         | <ul> <li>dbpedia:Columbiana_County,_Ohio</li> <li>dbpedia:Lisbon,_Illinois</li> <li>dbpedia:Ransom_County,_North_Dakota</li> </ul>  |
| FactForge       | <ul> <li>dbpedia:Columbiana_County,_Ohio</li> <li>dbpedia:Lisbon,_Connecticut</li> <li>dbpedia:Lisbon,_Florida</li> <li>dbpedia:Lisbon,_Illinois</li> <li>dbpedia:Lisbon,_Iowa</li> <li>dbpedia:Lisbon,_Juneau_County,_Wisconsin</li> <li>dbpedia:Lisbon,_Maine</li> <li>dbpedia:Lisbon,_New_Hampshire</li> <li>dbpedia:Lisbon,_New_York</li> <li>dbpedia:Lisbon,_North_Dakota</li> </ul> |
|                 | <ul> <li>dbpedia:Lisbon,_Ohio</li> <li>dbpedia:Lisbon,_Waukesha_County,_Wisconsin</li> <li>dbpedia:Ransom_County,_North_Dakota</li> <li>yago:Lisbon,_Illinois</li> </ul>  |

- fb:m.0s9cd
- w-flick:Lisbon,\_Illinois

### How-provenance for SPARQL

- Previous approaches do not handle how-provenance, particularly do not respect cardinality of solutions
- Even for why-provenance the existing proposals are somewhat limited in the treatment of the OPTIONAL construct, and ignore MINUS, EXISTS and NOT EXISTS
- We take care of the following SPARQL graph patterns:
  - Empty graph patterns
  - Triple patterns
  - AND, UNION, MINUS, OPTIONAL, FILTER and GRAPH
- We do not address aggregations, and property paths

## Our approach

- Provenance for Relational Algebra is well-understood and has fundamental results and techniques that can be employed
- We map SPARQL queries into Relational Algebra queries over annotated relations (*K*-relations)
- Tuples of annotated relation are mappings of ordinary tuples into a commutative semiring K
- In order to be able to handle OPTIONAL and MINUS it is required to use the (universal) commutative ring  $\mathcal{K}_{dprov}$  supporting difference and duplicate elimination

### This was claimed to be impossible !

### The universal m-semiring $\mathcal{K}_{dprov}$

- The commutative semiring  $\mathcal{K}_{dprov}(X)$  is formed by elements constructed inductively:
  - The constants 0, and 1
  - The set of identifiers X (graph names and quad identifiers)
  - The terms (s + t), (s × t), (s t),  $\delta_{ki}(t)$
- Annotations of  $\mathcal{K}_{dprov}$  are elements of the quotient structure of the free terms above with respect to the congruence relation induced by the axiomatization of monus-semirings
- This structure obeys to the factorization property, i.e. any query in a monus-semiring can be evaluated in  $\mathcal{K}_{dprov}$

## Query language RA<sup>+</sup>(-, $\delta$ )

 $\circledast \quad \varnothing(t) = 0$ 

- $(R_1 \cup R_2)(t) = R_1(t) + R_2(t)$
- ⊕  $\prod_{V} (R)(t) = \sum_{\{t[V] = t'[V]\}} R(t')$
- $\sigma_{\rm P}({\rm R})(t) = {\rm R}(t)$  if P(t) is true,  $\sigma_{\rm P}({\rm R})(t) = 0$  otherwise
- \*  $(\rho_{\beta}(R)(t))$  is an annotated relation obtained by renaming the columns of R according to bijection  $\beta$
- $(R_1 R_2)(t) = R_1(t) R_2(t)$

# Mapping of RDF graphs

G

| aphs: | gid | IRI                  |    |
|-------|-----|----------------------|----|
|       | 0   |                      | g0 |
|       | 1   | http://dbpedia.org   | g1 |
|       | 2   | http://factforge.net | g2 |

#### Quads:

| gid | sub                      | pred           | obj                    |           |
|-----|--------------------------|----------------|------------------------|-----------|
| 0   | _:b1                     | rdfs:label     | "Lisbon"@en            | a0        |
| 0   | _:b1                     | rdfs:label     | "Lisboa"@pt            | a1        |
| 1   | dbpedia:Lisbon,_Illinois | foaf:name      | "Lisbon"@en            | <i>b1</i> |
| 1   | dbpedia:Lisbon,_Illinois | rdf:type       | dbpedia:PopulatedPlace | <i>b2</i> |
| 1   | dbpedia:Lisbon,_Illinois | dbpowl:country | dbpedia:United_States  | <i>b3</i> |
| •   | •                        | •              |                        | :         |
| 2   | dbpedia:Lisbon           | rdf:type       | dbpedia:PopulatedPlace | с1        |
| •   | :                        | :              | :                      | :         |
|     |                          |                |                        |           |

### SPARQL solutions

A solution corresponds to an annotated tuple whose columns are the query free variables and a special given graph column

```
PREFIX dbpowl: <http://dbpedia.org/ontology/>
SELECT ?place ?country WHERE
{  [ rdfs:label ?search ]
    GRAPH <http://dbpedia.org>
    { ?place ?label ?search.
        ?place a dbpowl:PopulatedPlace .
        ?place dbpowl:country ?country .
    }
}
```

| G | ?place                   | ?country              |                                    |
|---|--------------------------|-----------------------|------------------------------------|
| 0 | dbpedia:Lisbon,_Illinois | dbpedia:United_States | g0 × a0 ×<br>g0 × g1 × b1 × b2× b3 |
| • | :                        | :                     |                                    |

### Empty and triple patterns

Empty graph pattern:

 [()]<sup>G</sup> selects all rows of Graphs table renaming gid by G, and discarding column IRI: Triple graph pattern

 [t]<sup>G</sup> performs a select on the Quads table

#### [(?x,rdf:type, dbpedia:PopulatedPlace)]<sup>G</sup>

| G      | ?x                       |           |
|--------|--------------------------|-----------|
| 1      | dbpedia:Lisbon,_Illinois | <i>b2</i> |
| •<br>• | :                        | •         |

#### [()]<sup>G</sup>

| G |    |
|---|----|
| 0 | g0 |
| 1 | g1 |
| 2 | g2 |

### A glimpse of the translation

Translation of the graph pattern (P1 AND P2) where  $\{v_1, ..., v_n\}$  are the shared variables of patterns P1 and P2.

$$\Pi_{\substack{G, \\ var(P_1) - var(P_2), \\ var(P_2) - var(P_1), \\ v_1 \leftarrow first(v'_1, v''_1), \dots, \\ v_n \leftarrow first(v'_n, v''_n)}} \left[ \sigma_{comp} \left( \rho_{\substack{v'_1 \leftarrow v_1 \\ \vdots \\ v'_1 \leftarrow v_n}} \left( [P_1]^G_{\mathcal{R}} \right) \bowtie \rho_{\substack{v''_1 \leftarrow v_1 \\ \vdots \\ v'_n \leftarrow v_n}} \left( [P_2]^G_{\mathcal{R}} \right) \right) \right]$$

### AND graph patterns

 [(P1 AND P2)]<sup>G</sup> multiplies together compatible solutions obtained with [P1]<sup>G</sup> and [P2]<sup>G</sup> in the same graph G

| [P1] <sup>G</sup> | G | ?x | <b>?y</b> | <b>?w</b> |           |
|-------------------|---|----|-----------|-----------|-----------|
|                   | 0 | р  | q         | -         | e1        |
|                   | 0 | p  | r         | S         | е2        |
|                   | 1 | -  | -         | t         | e3        |
|                   | 1 | -  | -         | u         | <i>e4</i> |
|                   |   |    |           |           |           |
| [P2] <sup>G</sup> | G | ?x | <b>?y</b> | ?z        |           |
|                   | 0 | р  | q         | -         | f1        |
|                   | 0 | р  | -         | v         | f2        |
|                   | 0 | р  | q         | m         | fЗ        |
|                   | 1 | -  | -         | n         | f4        |

[(P1 AND P2)]<sup>G</sup>

| G | ?x | <b>?y</b> | <b>?w</b> | ?z |                        |
|---|----|-----------|-----------|----|------------------------|
| 0 | р  | q         | -         | -  | e1 × f1                |
| 0 | р  | q         | -         | v  | <i>e1</i> × <i>f</i> 2 |
| 0 | р  | q         | -         | m  | <i>e1</i> × <i>f</i> 3 |
| 0 | р  | r         | S         | v  | $e2 \times f2$         |
| 1 | -  | -         | t         | n  | $e3 \times f4$         |
| 1 | -  | -         | u         | n  | e4 × f4                |

## UNION graph patterns

[(P1 UNION P2)]<sup>G</sup> sums together the solutions obtained with [P1]<sup>G</sup> and [P2]<sup>G</sup> in the same graph G.

| [P1] <sup>G</sup> | G | ?x | <b>?y</b> | <b>?w</b> |           |
|-------------------|---|----|-----------|-----------|-----------|
|                   | 0 | р  | q         | -         | e1        |
|                   | 0 | р  | r         | S         | e2        |
|                   | 1 | -  | -         | t         | e3        |
|                   | 1 | -  | -         | u         | <i>e4</i> |
|                   |   |    |           |           |           |
| [P2] <sup>G</sup> | G | ?x | ?y        | ?z        |           |
|                   | 0 | р  | q         | -         | f1        |
|                   | 0 | р  | -         | v         | f2        |
|                   | 0 | р  | q         | m         | fЗ        |
|                   | 1 | -  | -         | n         | f4        |

[(P1 UNION P2)]<sup>G</sup>

| G | ?x | <b>?y</b> | <b>?w</b> | ?z |            |
|---|----|-----------|-----------|----|------------|
| 0 | р  | q         | -         | -  | e1 + f1    |
| 0 | р  | r         | S         | -  | e2         |
| 0 | р  | -         | -         | v  | <i>f</i> 2 |
| 0 | р  | q         | -         | m  | fЗ         |
| 1 | -  | -         | t         | -  | е3         |
| 1 | -  | -         | u         | -  | <i>e4</i>  |
| 1 | -  | -         | -         | п  | <i>f</i> 4 |

## MINUS graph patterns

| [P1] <sup>G</sup> | G | ?x        | <b>?</b> y |            | [(P1 M | IINU | S P2)] | G   |
|-------------------|---|-----------|------------|------------|--------|------|--------|---|
|                   | 0 | р         | q          | e1         | G      | ?x   | ?y     |   |
|                   | 0 | р         | r          | е2         | 0      | р    | q      | e1 × (1- (e1 × f1))                             |
|                   | 0 | r         | S          | е3         | 0      | р    | r      | $e2 \times (1 - (e2 \times f2 + e2 \times f3))$ |
|                   | 0 | t         | -          | e4         | 0      | r    | S      | <i>e3</i>                                       |
|                   |   |           |            |            | 0      | t    | _      | <i>e</i> 4                                      |
| [P2] <sup>G</sup> | G | <b>?y</b> | ?z         |            |        |      |        |   |
|                   | 0 | q         | r          | f1         |        |      |        |   |
|                   | 0 | r         | t          | f2         |        |      |        |   |
|                   | 0 | r         | -          | fЗ         |        |      |        |   |
|                   | 0 | t         | u          | <i>f</i> 4 |        |      |        |   |

### **OPTIONAL** graph patterns

● [(P1 OPTIONAL P2)]<sup>G</sup> constructs more complex annotations also requiring the difference operator:

| [P1] <sup>G</sup>         | G | ?x | <b>?y</b> |           | [(P1 OPTION |   |           |              |
|---------------------------|---|----|-----------|-----------|-------------|---|-----------|--------------|
|                           | 0 | р  | q         | e1        |             | G | <b>?x</b> | ?            |
|                           | 0 | р  | r         | e2        |             | 0 | р         | q            |
|                           | 0 | r  | S         | e3        |             | 0 | р         | q            |
|                           |   |    |           |           |             | 0 | р         | r            |
| [ <b>P2]</b> <sup>G</sup> | G | ?y | ?z        |           |             | 0 | р         | r            |
|                           | 0 | q  | r         | f1        |             |   |           |              |
|                           | 0 | r  | t         | <i>f2</i> |             | 0 | r         | S            |
|                           | 0 | r  | -         | fЗ        |             |   |           | finn<br>Geli |
|                           | 0 | t  | u         | f4        |             |   |           |              |
|                           |   |    |           |           |             |   |           |              |

[AL P2)]<sup>G</sup>

| G | ?x | <b>?y</b> | ?z |  |
|---|----|-----------|----|--|
| 0 | р  | q         | r  | <i>e1</i> × <i>f1</i>  |
| 0 | р  | q         | -  | e1 × (1- (e1 × f1))  |
| 0 | р  | r         | t  | $e2 \times f2$   |
| 0 | р  | r         | -  | $e2 \times f3 \\ + \\ e2 \times (1 - (e2 \times f2 + e2 \times f3))$ |
| 0 | r  | S         | -  | е3   |

### FILTER graph patterns

- If R does not contain [NOT] EXISTS subexpressions then [(P FILTER R)]<sup>G</sup> keeps the solutions which satisfy the boolean condition R, getting the annotation from [(P)]<sup>G</sup>
- Otherwise, every solution obtained gets the annotation a in [(P)]<sup>G</sup> multiplied by:
- (P1 OPTIONAL (P2 FILTER R)) is translated as usual

### GRAPH patterns

 If a specific graph IRI is provided then the annotation returned by executing the query (GRAPH *iri<sub>j</sub>* P) in graph with annotation g has the shape:

#### $g \times g_j \times [(P)]^{gj}$

When a variable graph identifier is used, then the graph pattern is evaluated in each named graph resulting in annotations of the form:

 $g \times (g_1 \times [(P)]^{g_1} + ... + g_n \times [(P)]^{g_n})$ 

 If desired, the graph identifiers can be removed by mapping them into 1.

### Related Work

Support RDFS reasoning but do not support SPARQL:

- Flouris *et al.*, ISWC 2009] Coloring RDF triples to capture provenance. Support RDFS reasoning but no SPARQL.
- Buneman *et al.*, SWPM 2010] Annotation Algebras for RDFS provide an algebraic framework for RDFS reasoning. No treatment of SPARQL.

#### Support SPARQL:

- Dividino *et al.*, J. of Web Semantics 2009] Querying for provenance, trust, uncertainty and other meta knowledge in RDF. Assume a set-based semantics (no duplicates) only why-provenance.
- Example 2012 [Zimmermann *et al.*, J. of Web Semantics 2012] Define a SPARQL based query language for annotated RDFS reasoning, where annotations can be used in the queries. Sum operator is idempotent, UNION is not evaluated in the annotation algebra and OPTIONAL occasionally looses some information. Allow aggregates
- [Geerts *et al.*, unpublished 2012] Propose a novel algebraic structure called seba (semirings with an embedded boolean) and a full treatment of SPARQL.

### Future work

- Capture remaining constructs of SPARQL:
  - Aggregation
  - Property paths
- Relate with explicit provenance models
- Explore relationships to the recent work of [Geerts *et al*, 2012]
- Test in practice the approach with real data and real queries
- Complexity of generated annotations

### Conclusions and future work

- A first proposal for extracting how-provenance for a very significant fragment of the SPARQL recommendation, respecting the cardinality of solutions
- Uses established provenance models from the database community
- Annotations can be complex, requiring extra research on practical ways to deal with them