



Dissimilarity-Based Multiple Instance Learning

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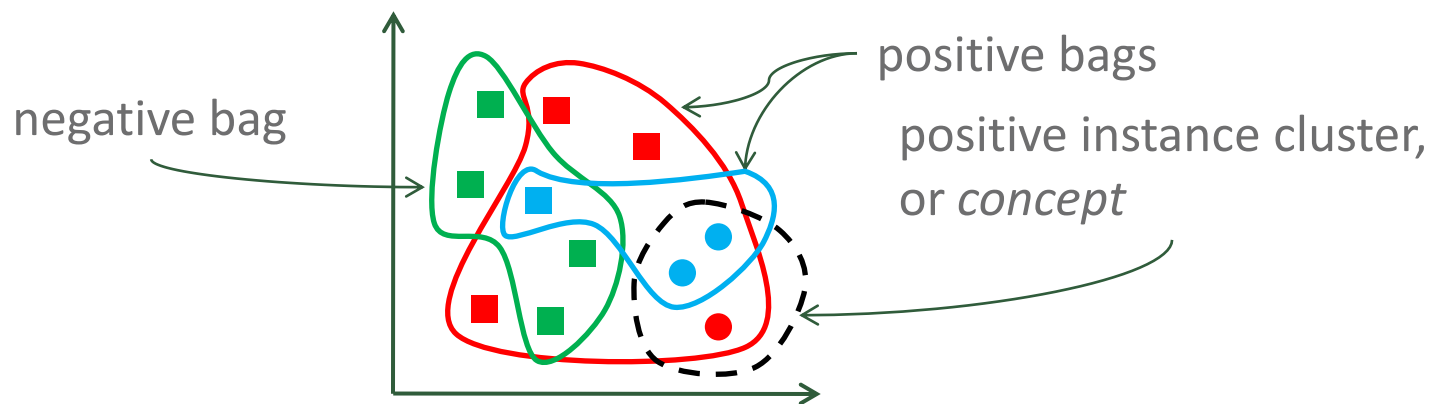
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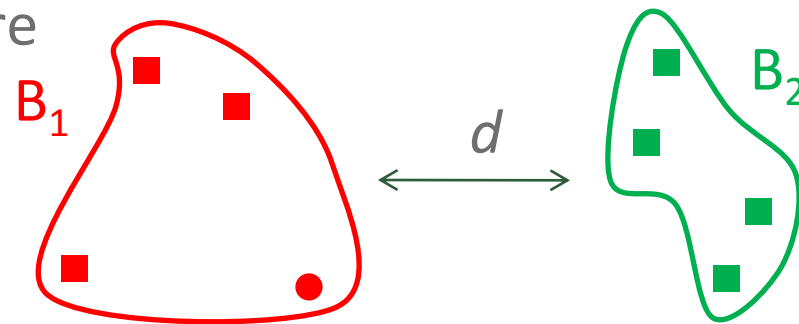
Multiple Instance Learning (MIL)

- In MIL an object is represented by a set (*bag*) of sub-objects (*instances*) with a label (positive/negative) associated with the entire bag
- Unseen bag classified based on the instances it contains:
 - positive = contains at least one positive instance
 - negative = contains no positive instances



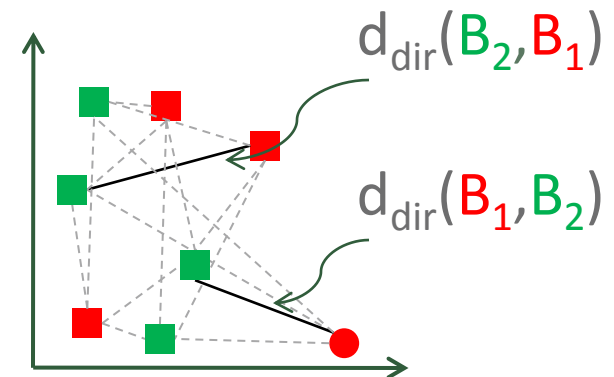
Approach

- Dissimilarity-based classification of bags using a suitable bag dissimilarity measure



- Done before using the k NN classifier (and modifications; Citation- k NN) with the Hausdorff distance between instances as dissimilarity [1]

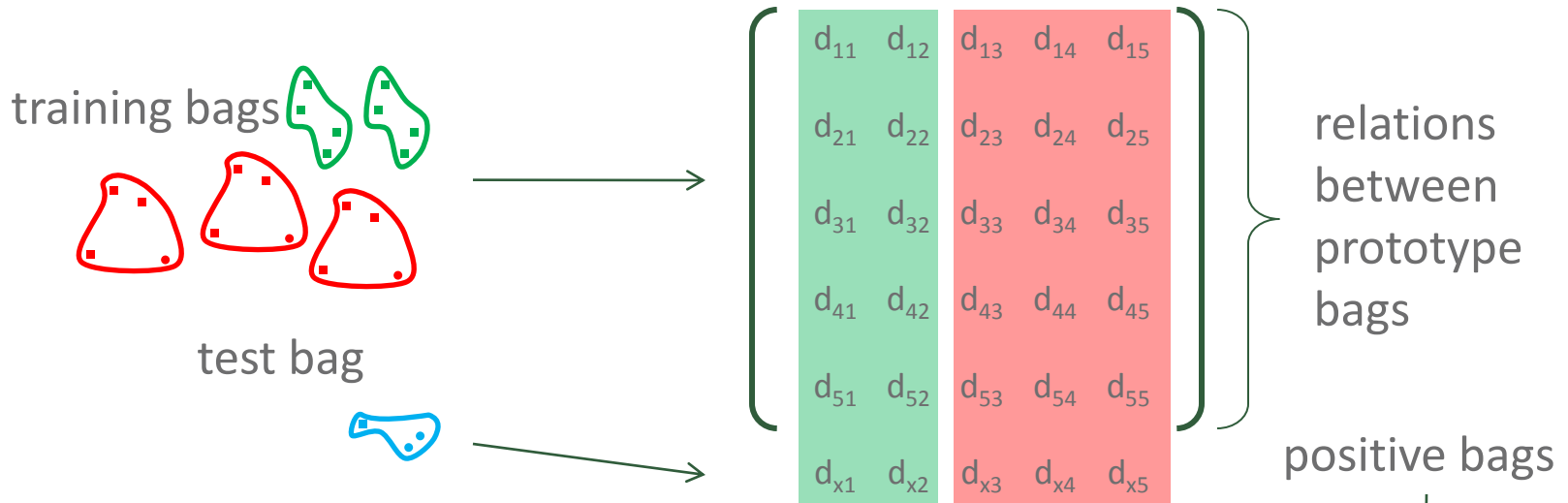
$$d_H = \max\{d_{\text{dir}}(B_1, B_2), d_{\text{dir}}(B_2, B_1)\}$$



[1] Wang, J. and Zucker, J.D., "Solving the multiple-instance problem: A lazy learning approach," In Proc. ICML, 2000

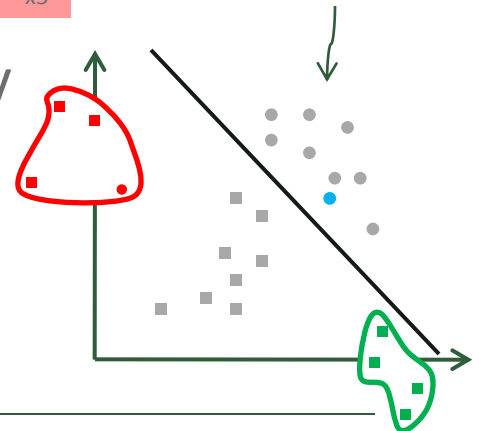
Approach

- Propose to use the dissimilarity representation approach [2]



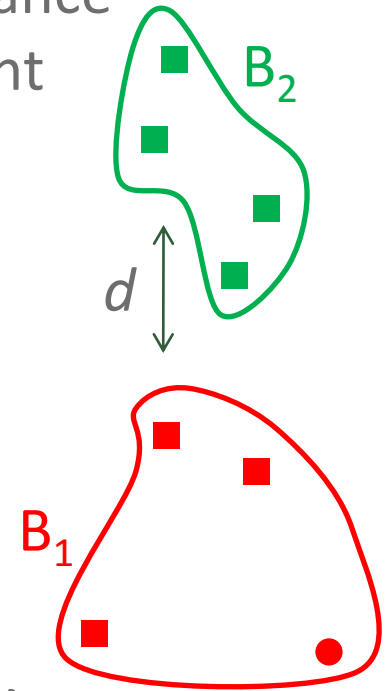
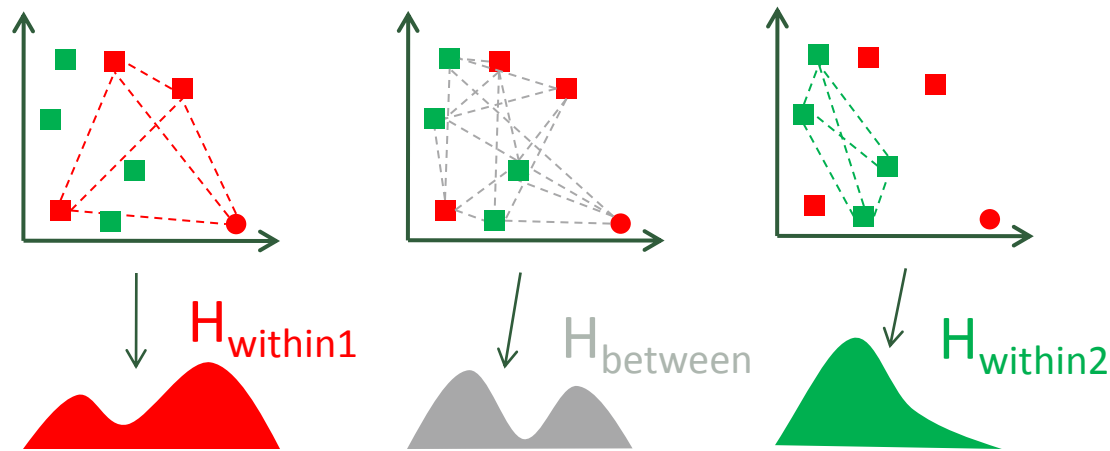
- Dissimilarity space defined by the dissimilarity to prototype bags
- Standard vector space method can be applied

[2] Pekalska, E. and Duin, R.P.W., "Dissimilarity representations allow for building good classifiers," Pattern Recognition Letters, 2002



Instance Relations in Bag Dissimilarity

- Propose bag dissimilarities that take instance distance distributions between and within bags into account



$$d_{BWmean} = \text{mean}\{\text{EMD}(H_{\text{within1}}, H_{\text{between}}), \text{EMD}(H_{\text{within2}}, H_{\text{between}})\}$$

- Assumes positive and negative bags have different distributions of instance distances



Advances

- Better utilization of the training data compared to k NN
- Less restrictions on the bag proximity measure compared to, e.g., kernel-based approaches
- Now we can use:
 - L_1
 - Hausdorff (and modifications hereof),
 - Hamming
 - single linkage
 - Fisher criterion
 - d_{BWmean} (proposed bag dissimilarity measures)
 - ...

Advances

- Within-bag instance relations may add discriminative information

uses instance relations within bags

| | Elephant | Fox |
|------------------------------|----------|------|
| $d_{BWmean} + \text{Fisher}$ | 88.5 | 64.0 |
| MI-Graph [3] | 85.1 | 61.2 |
| MI-SVM [4] | 81.4 | 59.4 |

- Within-bag relations modeled less rigid as opposed to, e.g., using a graph representation + graph kernel [3]

[3] Zhou, Z.H., Sun, Y.Y., and Li, Y.F., “Multi-instance learning by treating instances as non-i.i.d. samples,” In Proc. ICML, 2009

[4] Andrews, S., Tsochantaridis, I., and Hofmann, T., “Support vector machines for multiple-instance learning,” In Proc. NIPS, 2002



Challenges

- Designing good bag dissimilarity measures
 - using application specific knowledge
 - using the training set
- Systematic prototype selection for good dissimilarity spaces [5]
- How to account for the number of instances in the bags being compared

[5] Pekalska, E., Duin, R.P.W., and Paclik, P., "Prototype selection for dissimilarity-based classifiers," *Pattern Recognition*, 2006

Questions

- Can we solve the “strict” MIL problem (bag positive iff. contains at least one positive instance)?
- Which more general MIL problems can we solve?
- Possible to characterize for which MIL problems it is useful to take instance relations (within bags) into account?
- Can we design good bag dissimilarity measures that could otherwise not be used in a kernel-based approach?
- How can one exploit the fact that bags can contain a substantially different number of instances?