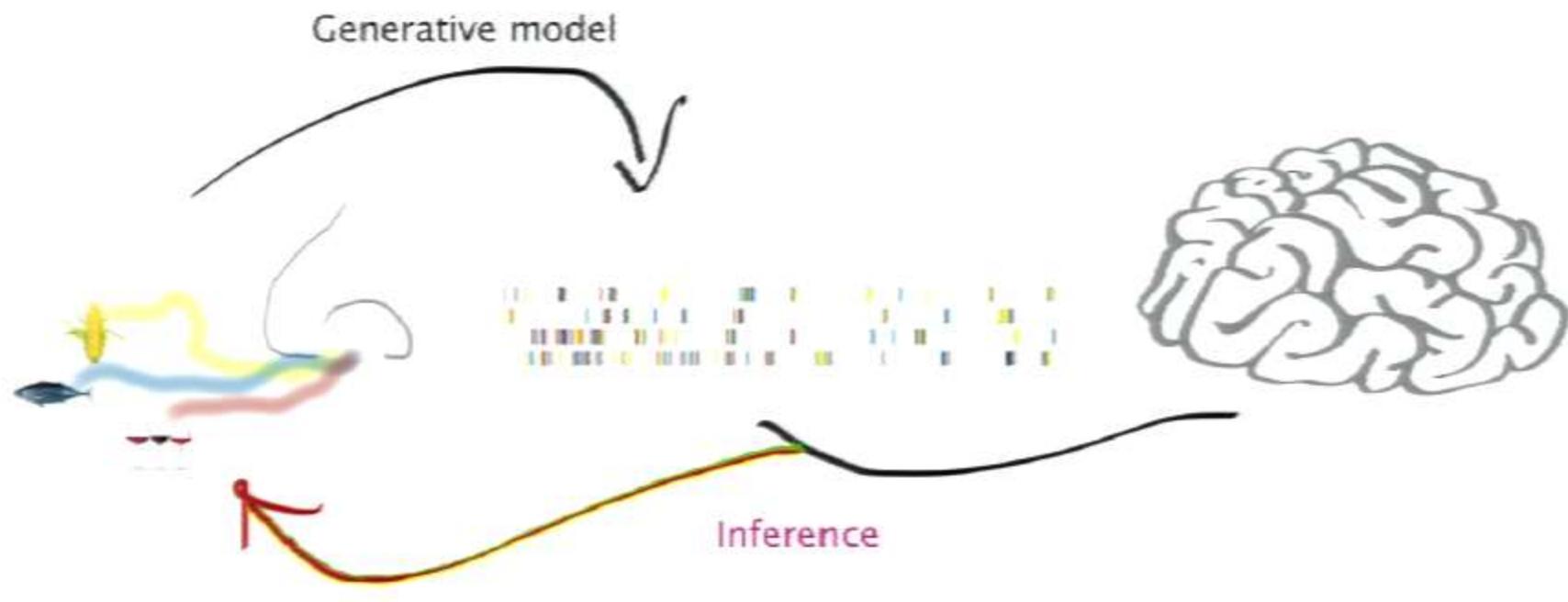
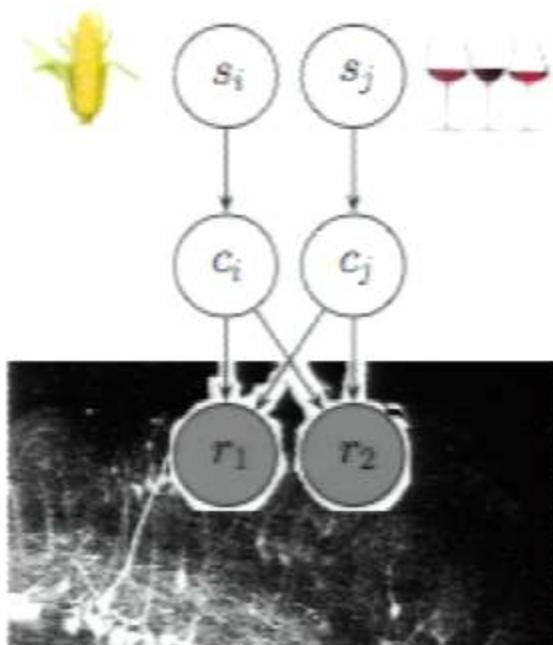


## Demixing odors - fast inference in olfaction

Agnieszka Grabska-Barwińska, Jeff Beck  
Alex Pouget, Peter Latham



## “Simplest” generative model



Linear mixture

$$\langle r_i \rangle = r_i^0 + \sum_j w_{ij} c_j$$

Inference still hard:

- ▶ Problem overcomplete
- ▶ Need marginals

Help:

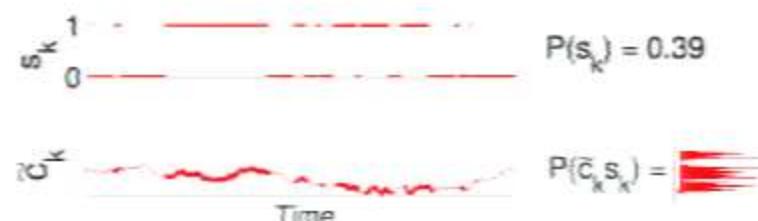
- ▶ Super sparse prior
- ▶ Factorised  $Q$  or sampling

## Neural representation

### Probabilistic Population Codes

$$Q(s_j=1) \propto \exp^{s_j L_j}$$
$$Q(c_j|s_j=1) \propto \exp^{\alpha_{1j} \log c_j - \beta_{1j} c_j}$$

### Samples



## Neural computation

Need to run real time

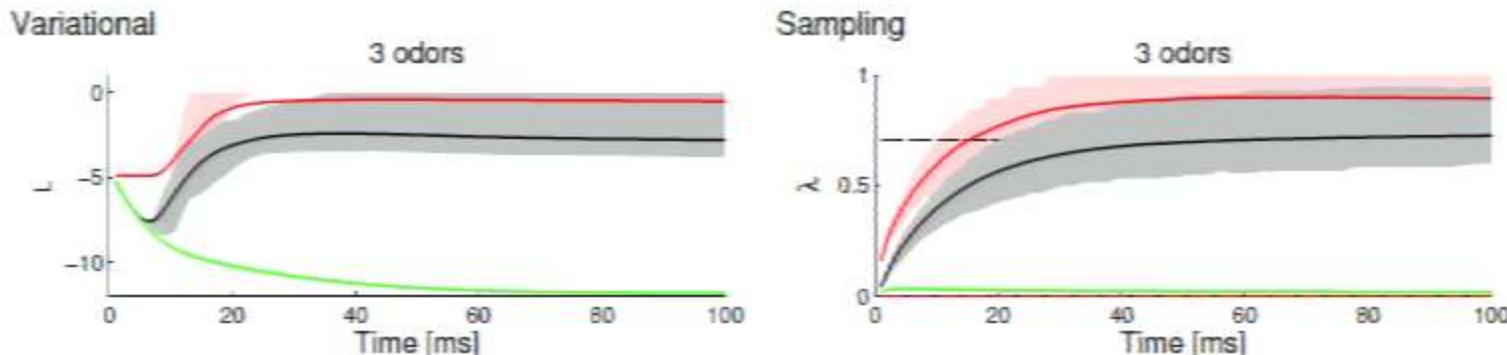
VB updates  
↓  
network equations

Gibbs updates  
↓  
point process

# Results

- ▶ Sampling faster than expected
- ▶ Variational Bayes better than expected
- ▶ Similar constraints on neural connectivity

Any differences?



[ Answer at poster Fri54 ]