

# Change Detection in Dynamic Scenes using Local Adaptive Transform

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British Machine Vision Conference 2013 September 10, 2013

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### **Motivation**

- Identifying changes of interest in videos is a problem in various application domains
- Video Surveillance





Medical Diagnosis



• Driver Assistance Systems

Condition Assessment



Remote Sensing



[1] W. Guo, L. Soibelman, J.H. Garrett Jr., Automated defect detection for sewer pipeline inspection and condition assessment, Automation in Construction, 2009
 [2] http://openi.nlm.nih.gov/detailedresult.php?img=3259357\_13244\_2010\_61\_Fig15\_HTML&req=4
 [3] http://huettichs.wordpress.com/2011/09/01/synthesis-summary-of-urban-remote-sensing-at-dlr/

## Challenges

- What are changes and are they all interesting?
- To establish a clear distinction between what is relevant and what is not is a very challenging task.
- Illumination variations
  - Conditions of the data acquisition
- Several altering elements in the background may cause false alarms:
  - Shimmering or wavy water
  - Swaying trees
  - Water fountain



**Green Rectangle**: An example of a relevant change **Red Arrows**: Examples of altering elements in the background, not a type of desired change

### Ordinary Change vs. Relevant Change

- We categorize the change into two main classes:
  - Ordinary Change: "Recurrent elements and changes pertaining to the dynamic background".



The entire frame region, depicted as **the blue region**, is considered as a region of ordinary change.

 Relevant Change: "Alterations that do not conform to the expected pattern of ordinary change".



 If we can model the ordinary change patterns, we can subsequently employ the model for the detection of relevant changes.



The Blue Region: Ordinary Change.

#### **Ordinary Change Patterns**

- Ordinary change patterns are typically correlated in space and/or time among a set of consecutive frames.
- This correlation stems from the repetitive nature and induces spatiotemporal signatures specific to each local ordinary change pattern [1].



We present the energy compactness values of the spatiotemporal signature of the depicted local region .



 $\xi_s = \sum_{i=1}^N \left( \frac{1}{N} - \check{\omega}_i \right)$ 

\*Energy compactness coefficient,  $\xi_s$ , describes how the energy distributes in a given 8x8x8x data matrix, where N is the number of elements and  $\tilde{\omega}_i$ is a normalized element in the matrix.

[1] J. V. Stone. Object recognition using spatiotemporal signatures. Vision Research, 1998.

#### **Proposed Framework**

 We propose a framework that makes use of the spatiotemporal signatures to discriminate ordinary changes from relevant changes.



#### **Spatiotemporal Signature Extraction**

- Processing images one-by-one in the image pixel plane is not suitable for extracting spatiotemporal features[1]. Instead, we should capture spatiotemporal signatures in a three-dimensional transform space.
- Many approaches have been investigated to extraction of spatiotemporal signatures [2-3].
- We leverage linear transforms with an ability to decorrelate data and realize compact representations
  - A transform is considered as suitable for a local ordinary change pattern if the transform domain provides a compact representation of the local ordinary change pattern.

R. C. Gonzalez, R. E. Woods, and S. L. Eddins. Digital image processing using MATLAB, volume 2. Gatesmark Publishing Tennessee, 2009.
 P. Dollar, V. Rabaud, G. Cottrell, and S. Belongie. Behavior recognition via sparse spatio-temporal features. In VSPET Surveillance, 2005

[3] N. U. Ahmed and K. R. Rao. Orthogonal Transforms for Digital Signal Processing. Springer-Verlag 1975

#### Data Decomposition

- Given a sequence of frames including only ordinary change patterns
- Divide each frame into 8 by 8 pixels regions in order to improve the localized correlation
- Group each 8 consecutive frames to form a stack.
- Each stack is composed of 8x8x8 cubes:
- We perform a further grouping and collect the corresponding cube elements in different stacks and form the corresponding cube sets.





 $\begin{array}{l} \mbox{Every corresponding cube set } C_{ij} \\ \mbox{is considered as the summary of} \\ \mbox{ordinary change pattern in the} \\ \mbox{local region at } i \mbox{ and } j. \end{array}$ 



One stack:





Pixel Grid

#### Linear Transforms

- Linear transforms
  - Discrete cosine transform (DCT)
  - Walsh-Hadamard transform (WHT)
  - Slant transform (ST)
- Why?
  - DCT, WHT, and ST have distinct basis vectors.
- We need to estimate a suitable transform for each corresponding cube set.





DCT: Sinusoidal waveforms



WHT: Rectangular waveforms

 If a transform can compact the energy of the input in few transformed values, the transform can be considered as the most suitable one.

SL: Sawtooth waveforms

#### **Base Transform Estimation**

We use a energy compaction criterion, called compactness coefficient:

$$\xi_s \triangleq \sum_{i=1}^N \left(\frac{1}{N} - \grave{\omega}_i\right)^2$$

 $\begin{cases} \xi_s \in [0, 1 - \frac{1}{N}] \\ \xi_s \in [0, 1 - \frac{1}{N}] \end{cases} \begin{cases} \omega_1, \dots, \omega_N \\ \vdots \end{cases} : \text{Transform coefficients} \\ \vdots \\ \text{Formulation of the coefficients} \\ \text{E: Total energy of the coefficients} \end{cases}$ 

- Given a corresponding cube set, we compute compactness coefficients of each cube in the corresponding cube set for DCT, WHT, and ST.
  - Transform with the largest compactness coefficient value is chosen as the most suitable transform for the cube set



- Do we need all 8x8x8 transform coefficient?
  - Coefficients may be specific to the change pattern
  - Significant Coefficient Subset

#### Spatiotemporal Signature : {Estimated transform, Significant Coefficient Subset}

#### Signature Modeling with Statistical Properties



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 $\mathbf{x}_{ij}^{l}$ : Index of the significant l coefficient of the corresponding cube set  $\mathbf{C}_{ij}$ ,  $L(\mathbf{x}_{ij}^{l}, \boldsymbol{\kappa})$ : value of the significant coefficient of the cube element  $\mathbf{c}_{ij}^{\kappa}$  in  $\mathbf{C}_{ij}$ .

• Compute the deviation  $d_{ij}^{\kappa}$  of each cube element  $c_{ij}^{\kappa}$  from its mean:

$$\mathbf{d}_{ij}^{\kappa} = | \prod_{\substack{i = l \\ c_{ij}^{\kappa}}} - \tilde{\mathfrak{u}}_{ij}^{l} | \text{ for } \kappa = 1, \dots, K$$

- We then compute  $\mu_{ij}^{\kappa}$  and  $\sigma_{ij}^{\kappa}$  of each  $d_{ij}^{\kappa}$  for  $\kappa$ =1,...,K
- Using the significant coefficient subset,  $\mu^{\kappa}_{ij}$ ,  $\sigma^{\kappa}_{ij}$ , and  $d^{\kappa}_{ij}$ , we construct a model for the relevant change detection.

Given a set of test frames V<sup>test</sup>={F<sup>test</sup><sub>1</sub>,..., F<sup>test</sup><sub>8</sub>}, we stack/decompose the frames and extract the cube elements for each ij using the significant subsets:

$$V^{\text{test}} =$$
  $figst stack and decompose  $right cube elements c_{ij}^{test}$  for each location ij$ 

• We compute the deviation of each cube element  $c_{ij}^{test}$  in the test stack from the training cube samples  $c_{ij}^{\kappa}$  for  $\kappa=1,\ldots,K$  in the corresponding cube set  $C_{ij}$ :

$$C_{ij} = \{ c_{ij}^1, \dots, c_{ij}^{\kappa}, \dots, c_{ij}^{\kappa} \} \qquad \mathbf{d}^{\kappa, \text{ test}} = | \mathbf{e} - \mathbf{c}^{\text{test}}_{ij} |$$

- We compute  $\mu^{\kappa, \text{test}}_{ij}$  and  $\sigma^{\kappa, \text{test}}_{ij}$  of each  $\mathbf{d}^{\kappa, \text{test}}_{ij}$  for  $\kappa=1,...,K$
- We can now detect relevant change through a significance test

- The null hypothesis H<sub>0</sub> is characterized using the training samples which are assumed to have only ordinary change patterns.
- For H<sub>0</sub>, let X, Y be two random variables with means μ<sup>X</sup>, μ<sup>Y</sup>; standard deviations σ<sup>X</sup>, σ<sup>Y</sup>; and correlation coefficient ρ<sup>XY</sup>. The bivariate inequality of Lal [1]:

$$P(\lambda_{L_X} < X < \lambda_{U_X}, \lambda_{L_Y} < Y < \lambda_{U_Y} | \mathcal{H}_0) \ge P_{XY}, \text{ and} \qquad \text{where } \lambda_{L_X} + \lambda_{U_X} = 2\mu_X, \ \lambda_{L_Y} + \lambda_{U_Y} = 2\mu_Y, \\ P_{XY} = 1 - \frac{1}{2k_X^2 k_Y^2} (k_X^2 + k_Y^2 + \sqrt{(k_X^2 + k_Y^2)^2 - 4\rho^2 k_X^2 k_Y^2}) \qquad \text{where } \lambda_{L_X} + \lambda_{U_X} = 2\mu_X, \ \lambda_{L_Y} + \lambda_{U_Y} = 2\mu_Y, \\ k_X = (\lambda_{U_X} - \lambda_{L_X})/2\sigma_X, \text{ and } k_Y = (\lambda_{U_Y} - \lambda_{L_Y})/2\sigma_Y. \end{cases}$$

- $P_{XY}$  gives a lower bound for the joint probability in the interval [  $\lambda_{Lx}$ ,  $\lambda_{Ux}$ ] around  $\mu^X$  and the interval [  $\lambda_{Ly}$ ,  $\lambda_{Uy}$ ] around  $\mu^Y$  for X and Y.
- We propose that if X and Y are dependent events, we expect  $P_{XY}$  to be large for the same interval [  $\lambda_{Lx} = \lambda_{Ly}$ ,  $\lambda_{Ux} = \lambda_{Uy}$ ] around  $\mu^X$  and  $\mu^Y$ .
- Accordingly, we define a symmetric interval

$$\lambda_{L_X} = \lambda_{L_Y} = (\mu_X + \mu_Y)/2 - 2 * (\sigma_X + \sigma_Y)$$
  
$$\lambda_{U_X} = \lambda_{U_Y} = (\mu_X + \mu_Y)/2 + 2 * (\sigma_X + \sigma_Y)$$

• We can use the value of  $P_{XY}$  to estimate the likelihood of X and Y to be dependent random events.

• In our change detection setting:



- If  $d^{\kappa, test}_{ij}$  is found to be independent from  $d^{\kappa}_{ij}$ , one can deduce that there is a relevant change in the test cube  $c^{test}_{ij}$ .
- We can compute a joint probability  $P^{\kappa}_{XY}$  given training samples  $\kappa=1,...,K$ . Then, we can compute  $P_{XY}$ :

$$P_{XY} = \frac{1}{K} \sum_{\kappa=1}^{K} P_{XY}^{\kappa}$$

• This process is repeated for each cube. At the frame level, this corresponds to a two dimensional projection of spatiotemporal changes within the stack of 8 consecutive frames:



Binary Change Mask

 Use the binary change mask to analyze the mid-frames of the test stack to avoid large blocking artifacts:



• For smoothing the binary mask, we apply spatial regularization.













#### Experiments

- We obtained 6 test videos from the **dynamic background category** on <u>ChangeDetection.net</u>. The test videos were captured in outdoor scenes where the background has several altering elements (i.e., ordinary changes) that may cause false alarms.
- <u>ChangeDetection.net</u> provides a comprehensive set of annotated ground truth change areas to enable a precise quantitative evaluation:



• We used **20 stacks** (160 frames) to extract spatiotemporal signatures of the ordinary change patterns:



For the entire test set, a joint probability value P<sub>XY</sub> less than 0.33 is considered as an evidence that there
is a relevant change.

#### **Base Transform Estimation\***

• The type of the base transform chosen varies according to scene content.



#### **Visual Change Detection Results**



a) Input frame sequence b) Ground truth c) Our result

In ground truth, 0: Ordinary change, 255: Relevant change, 85: outside region of interest 170: unknown motion.

#### **Quantitative Change Detection Results**

- Let p<sub>rc</sub> denote a pixel in a region of relevant change, and let p<sub>oc</sub> denote a pixel in a region of ordinary change.
- TP: If the change detection method labels p<sub>rc</sub> as relevant change, this case is called true positive. If not, false negative (FN)
- TN: If the change detection method labels p<sub>oc</sub> as ordinary change, this case is called true negative. If not, false positive (FP)
- Specificity: TN/(TN+FP) and Accuracy: (TP+TN)/(TP+TN+FP+FN)

	V <sup>1</sup>	V <sup>2</sup>	V <sup>3</sup>	V <sup>4</sup>	V <sup>5</sup>	V <sup>6</sup>	
Number of Test Frames	6,100	390	785	1,000	2,001	3,001	Average
Specificity (%)	99.961	99.742	99.495	99.952	99.996	99.962	99.833
Accuracy (%)	99.820	99.592	99.387	99.936	99.987	99.889	99.769

• We compare our method to the top-three methods under the dynamic background category on <u>ChangeDetection.net</u> (ranking results retrieved on June 2013).

Method	boats		canoe		fountain01		fountain02		overpass		fall		Average	
(Ranking)	Re	Pr	Re	Pr	Re	Pr	Re	Pr	Re	Pr	Re	Pr	Re	Pr
[ <b>1</b> ] (4.71)	0.63	0.92	0.95	0.79	0.99	0.68	0.80	0.50	0.96	0.86	0.99	0.92	0.89	0.78
[ <b>2</b> ] (5.71)	0.75	0.82	0.89	0.92	0.82	0.90	0.63	0.15	0.89	0.93	0.94	0.87	0.82	0.76
[ <b>3</b> ] (6.14)	0.53	0.97	0.79	0.99	0.91	0.89	0.86	0.40	0.86	0.98	0.70	0.92	0.77	0.86
Ours (2.14)	0.78	0.93	0.96	0.93	0.93	0.77	0.81	0.58	0.96	0.98	0.95	0.97	0.90	0.86

#### Re: Recall and Pr: Precision

$$Re = \frac{TP}{TP + FN}$$
  $Pr = \frac{1}{7}$ 

Tom SF Haines and Tao Xiang. Background subtraction with Dirichlet processes. ECCV 2012, pages 99–113. Springer, 2012.
 Ashutosh Morde, Xiang Ma, and Sadiye Guler. Learning a background model for change detection. CVPRW 2012, pages 15–20, 2012.
 Ismail, M., Hamed M., and Chilufya, C. Object segmentation using full-spectrum matching of albedo derived from colour images, 2011.

#### Limitations and Future Work

- Limitations:
  - The major limitation of our method is that estimating base transforms requires a set of video frames without relevant changes.
  - Another limitation arises from cube-based computations, which may cause blocking artifacts.
  - Not all types of ordinary change patterns can be modeled by the three transforms (i.e., DCT, WHT, and ST) and additional transforms should be considered.
- Future Work:
  - Dynamic update of transform estimation.
  - Extend the approach to model shadow regions.
  - Large scale testing.



In ground truth, 0: Ordinary change, 255: Relevant change, 85: outside region of interest 170: unknown motion.

# Questions

