

## **Controllable Face Privacy**

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Leading The World With Asia's Best





Existing deidentification methods

Joe, Male, Caucasian, Young









#### Controllable Privacy Protection

#### selective alteration

Joe, Male, Caucasian, Young







#### Orthogonal subspace decomposition

#### **Semantic Faces**

input







 $\mathbf{P}r_1^*$ 



 $\mathbf{P} \mathbf{r}_2^*$ 







 $\oplus a_2^*$ 





#### **Semantic Faces**

input



Increasing Femininity





Increasing Femininity







 $\mathbf{O}$ 

Increasing Femininity







 $\mathbf{O}$ 

Growing older



#### How to learn Semantic Faces?



#### **Multimodal Discriminant Analysis**



#### N=18 Labeled Training images

Gender:Male, FemaleRace:Caucasian, African, OrientalAge:Young, Middle-aged, Old



#### Data matrix





3. For each mode  $i = \{\text{gender, race, age}\}, \text{compute between-class and within-class scatter matrices on : <math>\mathbf{X}$ 

$$\mathbf{S}_b^i, \; \mathbf{S}_w^i$$

#### 4. Maximize Fisher Criterion

$$\mathbf{J}_{F}(\mathbf{V}^{i}) = \frac{(\mathbf{V}^{i})^{\top} \mathbf{S}_{b}^{i}(\mathbf{V}^{i})}{(\mathbf{V}^{i})^{\top} \mathbf{S}_{w}^{i}(\mathbf{V}^{i})}$$

## 5. Form matrix $\mathbf{V} = \begin{bmatrix} \mathbf{V}^{gender} \, \mathbf{V}^{race} \, \mathbf{V}^{age} \, \mathbf{V}^{0} \end{bmatrix}$

# 5. Form matrix $\mathbf{V} = \begin{bmatrix} \mathbf{V}^{gender} \, \mathbf{V}^{race} \, \mathbf{V}^{age} \, \mathbf{V}^{0} \end{bmatrix}$ Residual Space

- V is an (N-1) X (N-1) orthogonal matrix, whose columns are the bases for the gender (1-dim), race (2-dim) and age (2dim) subspaces.
- These subspaces capture the variations of gender, race and age, respectively.
- Residual space is 12-dim, and captures facial identity.



#### **Semantic Faces**

input







 $\mathbf{P}r_1^*$ 



 $\mathbf{P} \mathbf{r}_2^*$ 







 $\oplus a_2^*$ 





# 7. Synthesis $\mathbf{x}' = \mathbf{P}_r \mathbf{y}' = \mathbf{Q} \mathbf{y}'$

This equation allows the synthesis of new faces.

### $\mathbf{P}_r = \mathbf{U}\mathbf{D}^{1/2}$

Undoes the whitening operation

## Visualizing Q



Taking appropriate linear combinations of these Semantic Faces will alter gender, race, age, and identity.

#### Algorithm overview



#### Face normalization & encoding



### Results

## Altering 2 attributes Original 1.0 2.0

#### Gender + Age



#### Race + Gender







### Altering 3 attributes

#### Original 1.0 2.0



Gender + Race + Age

#### Altering Identity irreversibly



## But can we fool vision algorithms?

#### **Change Detector**

![](_page_29_Figure_1.jpeg)

**Gender Change Detector** 

## Experiments: Single-attribute change

"Changed rates" of 3 Change Detectors

	Intensity $\sigma$	0.5	1.0	1.5	2.0	2.5
Gender Change	Gender CD	0.50	0.63	0.75	0.88	1.00
	Race CD	0.31	0.31	0.31	0.31	0.31
	Age CD	0.56	0.19	0.38	0.38	0.19
Race Change	Gender CD	0.38	0.31	0.44	0.38	0.31
	Race CD	0.57	0.64	0.70	0.76	0.89
	Age CD	0.19	0.19	0.47	0.66	0.28
Age Change	Gender CD	0.31	0.38	0.31	0.38	0.19
	Race CD	0.25	0.25	0.12	0.12	0.25
	Age CD	0.66	0.84	1.00	1.00	1.00

Altered attributes are detected as changed, while unaltered attributes are unchanged

## Experiments: Multi-attribute change

"Changed rates" of 3 Change Detectors

	Gender+Race		Gender+Age		Race+Age			All 3 attributes				
Intensity $\sigma$	Gender	Race	Age	Gender	Race	Age	Gender	Race	Age	Gender	Race	Age
1.0	0.45	0.52	0.23	0.55	0.26	0.71	0.39	0.54	0.77	0.36	0.47	0.72
2.0	0.60	0.60	0.68	0.53	0.25	0.82	0.33	0.72	0.88	0.50	0.71	0.82

Higher intensity needed to fool detectors. Age attribute affected.

## Experiments: Identity change

Confidence values returned by Face++

Intensity $\sigma$	0.5	1.0	1.5	2.0
Average Confidence	0.9137	0.943	0.951	0.966

### Fun results

![](_page_33_Picture_1.jpeg)

### Fun results

![](_page_34_Picture_1.jpeg)

![](_page_34_Picture_2.jpeg)

## Conclusion

![](_page_35_Figure_1.jpeg)

#### The End: but come see our demo!

![](_page_36_Picture_1.jpeg)

![](_page_36_Picture_2.jpeg)

![](_page_36_Figure_3.jpeg)

### Additional slides

$$\beta = \frac{\alpha - f_p}{t_p - f_p}$$

- $\alpha$  : observed "changed rate"
- $\beta$  : actual "changed rate"
- $f_p$ : false positive rate
- $t_p$ : true positive rate